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Computational
Molecular Biology

scMultiNODE: Integrative and Scalable Framework for Multi-Modal Temporal Single-Cell Data

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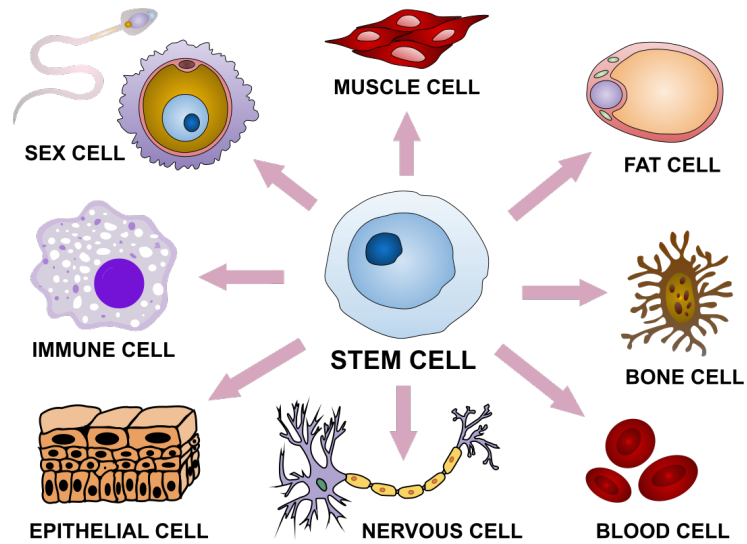
Brown University

@ ASI 2025

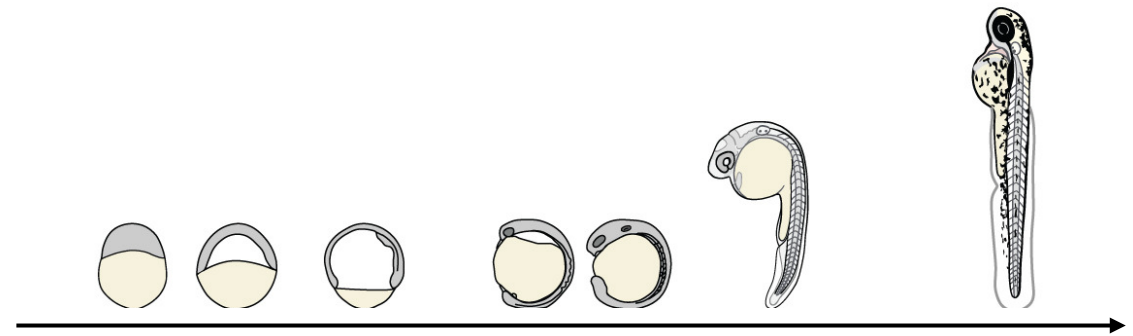
Philadelphia, PA

Oct. 12, 2025

Dynamics, The “Hidden Law” of Biology

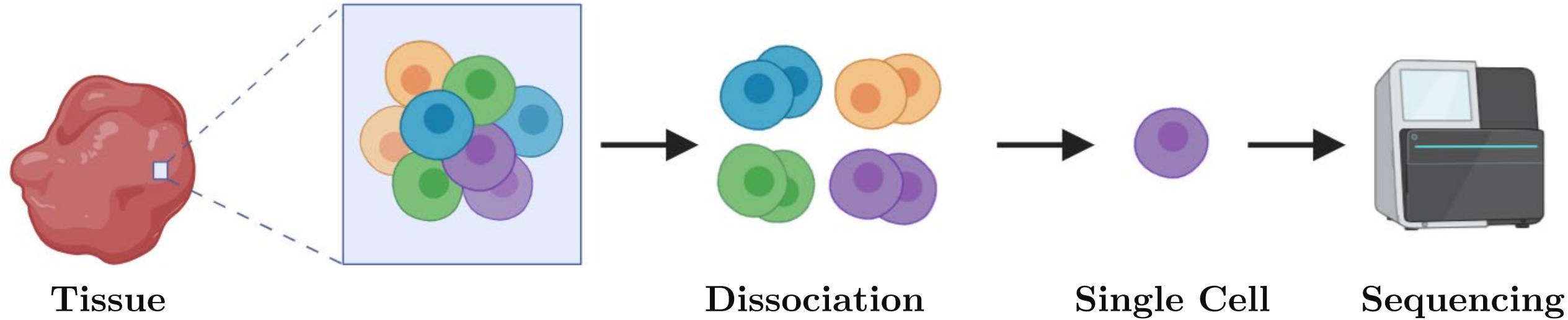


Cell Differentiation

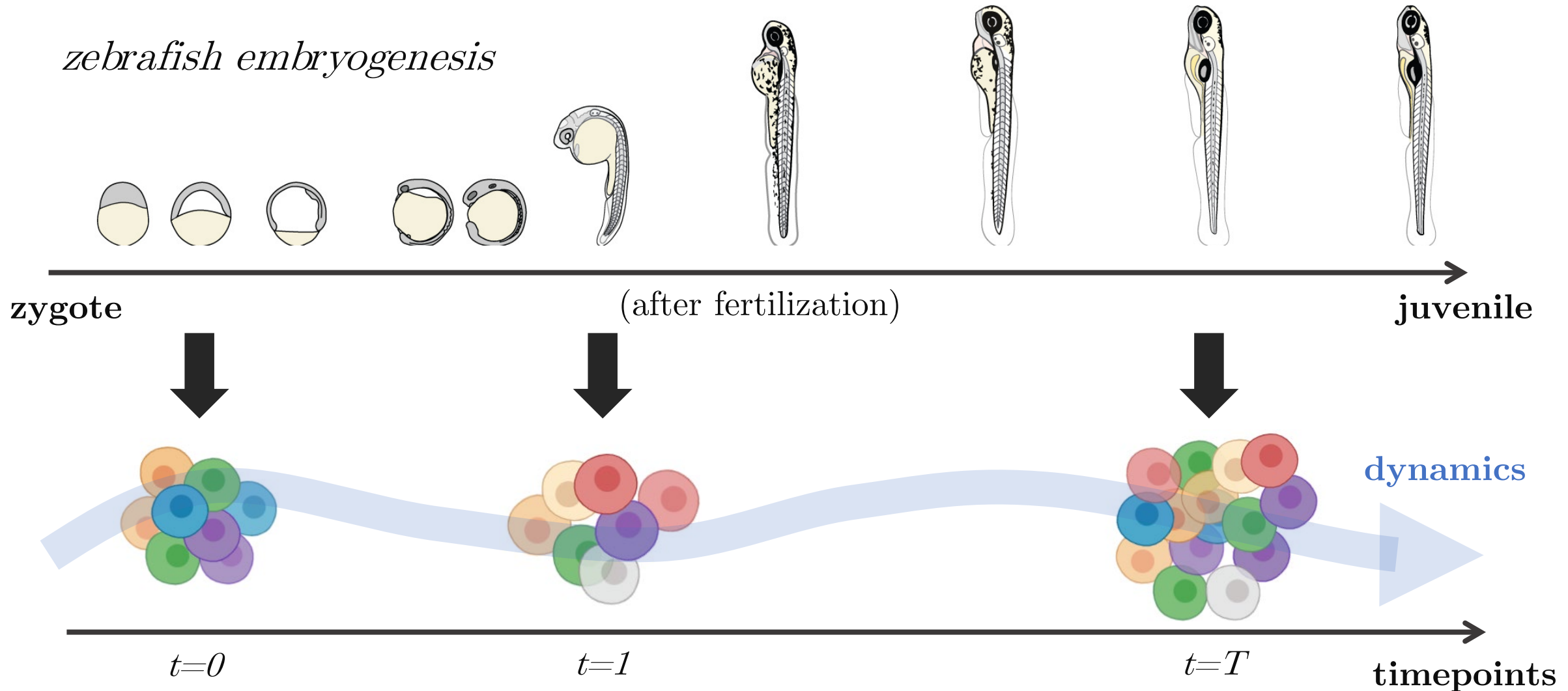


Embryogenesis

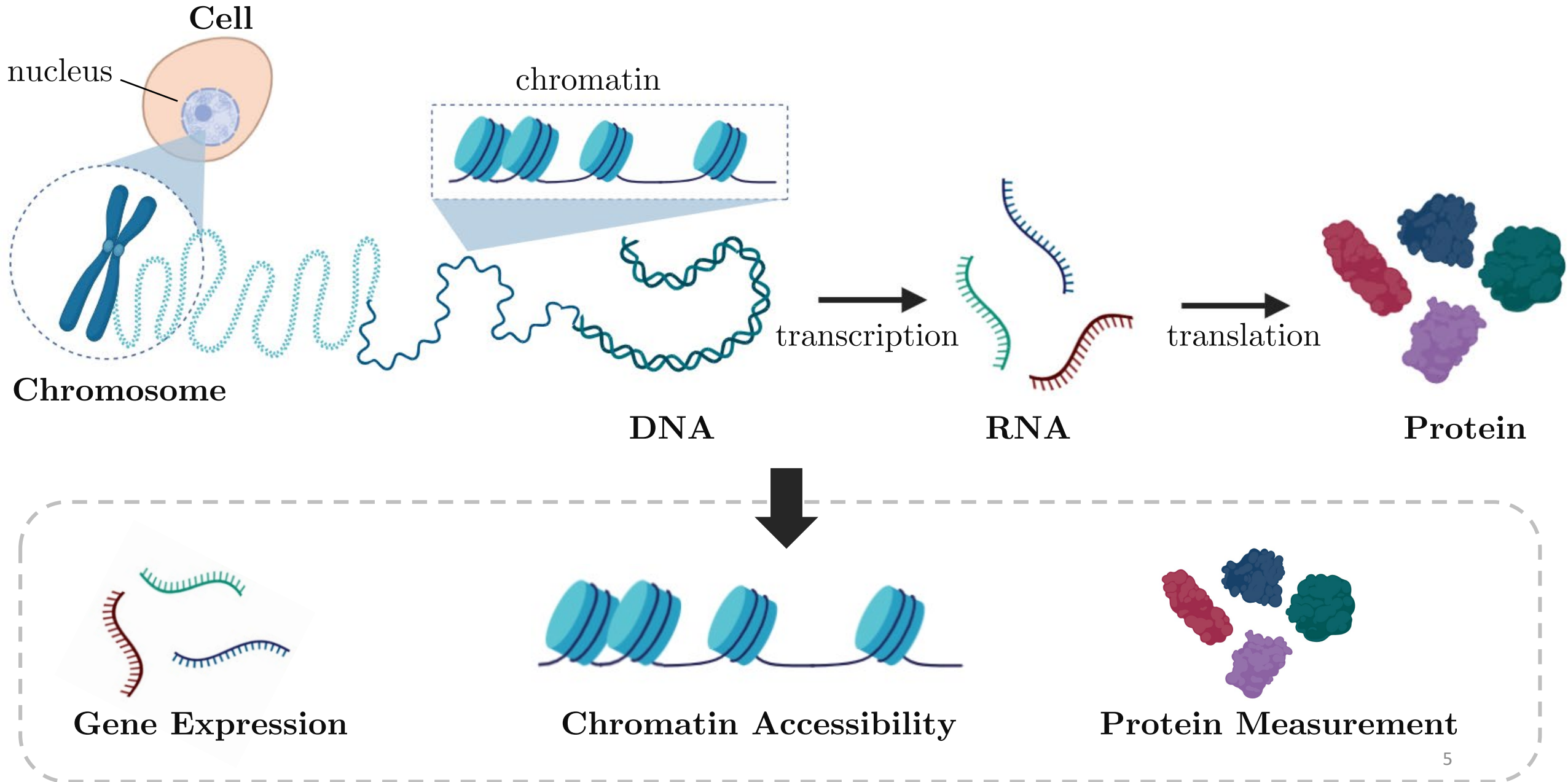
Single-Cell Technology Offer **High-Resolution Cell-Level** Insights about Heterogeneous Biological Systems



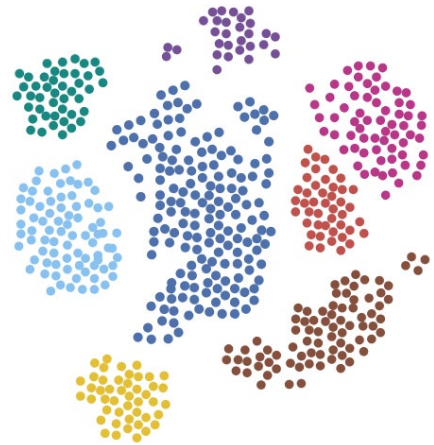
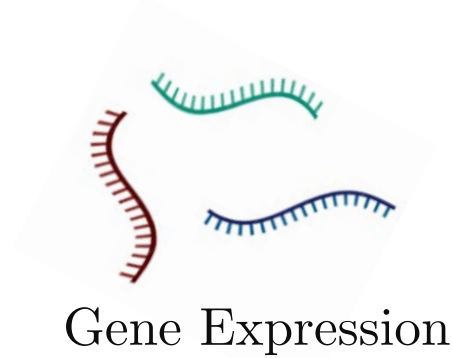
Temporally Resolved Single-Cell Data Offers Critical Dimension for Understanding Dynamics



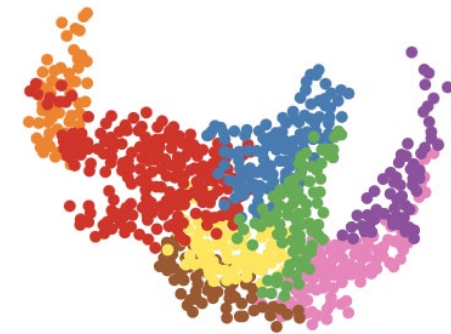
Advances in Technology Enable Multi-Modal Views of Single Cells



Each Modality Has Inherent Noises & Biases



joint analysis is important



+ diverse cell population
- sensitive to technical/biological biases
(e.g., mRNA degradation)

+ regulatory landscape
- less cell-type-specific
(e.g., robust to mRNA level)

Integrating Multiple Modalities Provides Comprehensive Cell Profile

- Integration between different single-cell modalities



Image
(modality 1)

+

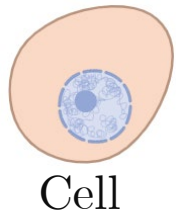
*a dog running through
the snow, with a frisbee*

Text
(modality 2)

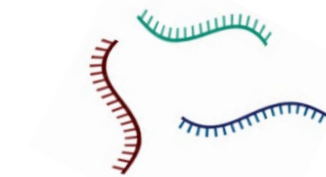
integration



comprehensive
representation of object



Cell



Gene Expression
(modality 1)



Chromatin Accessibility
(modality 2)

integration



comprehensive
map of cell

Unaligned Datasets Pose Extra Challenges

Co-Assay Data

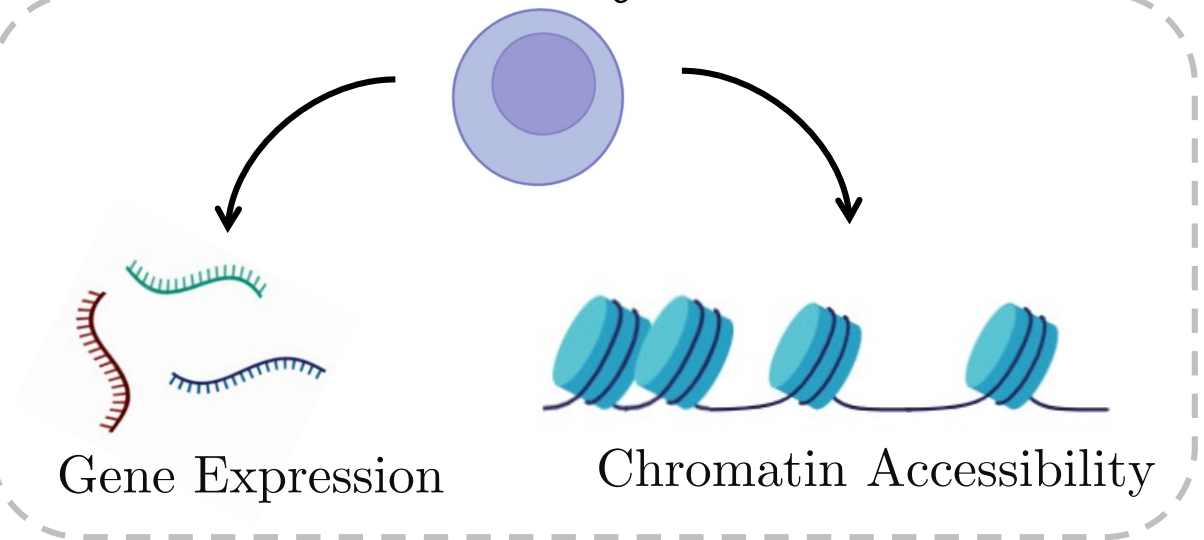
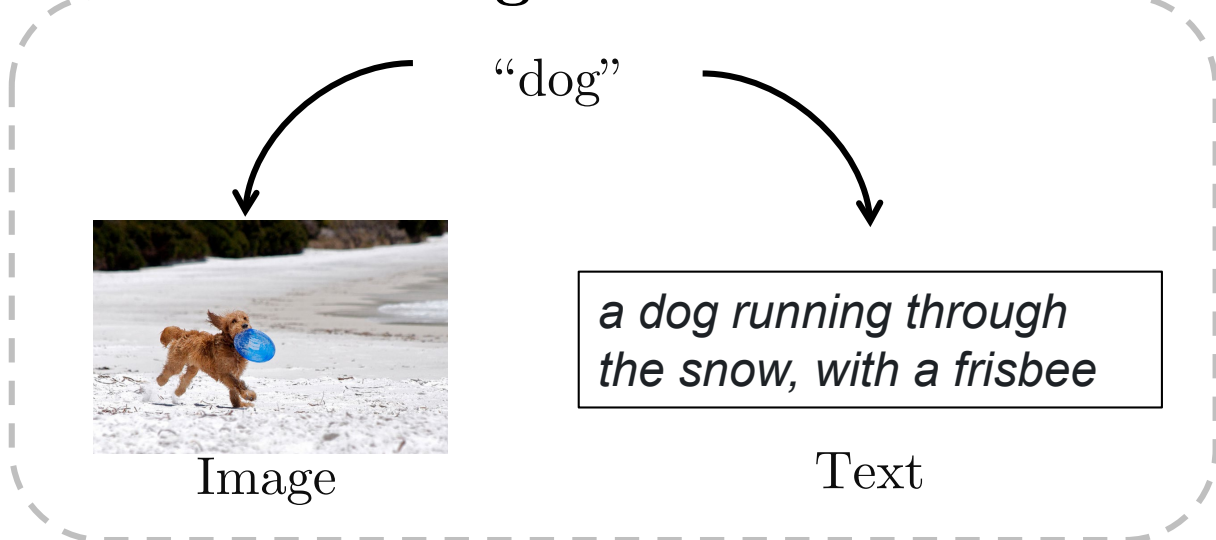
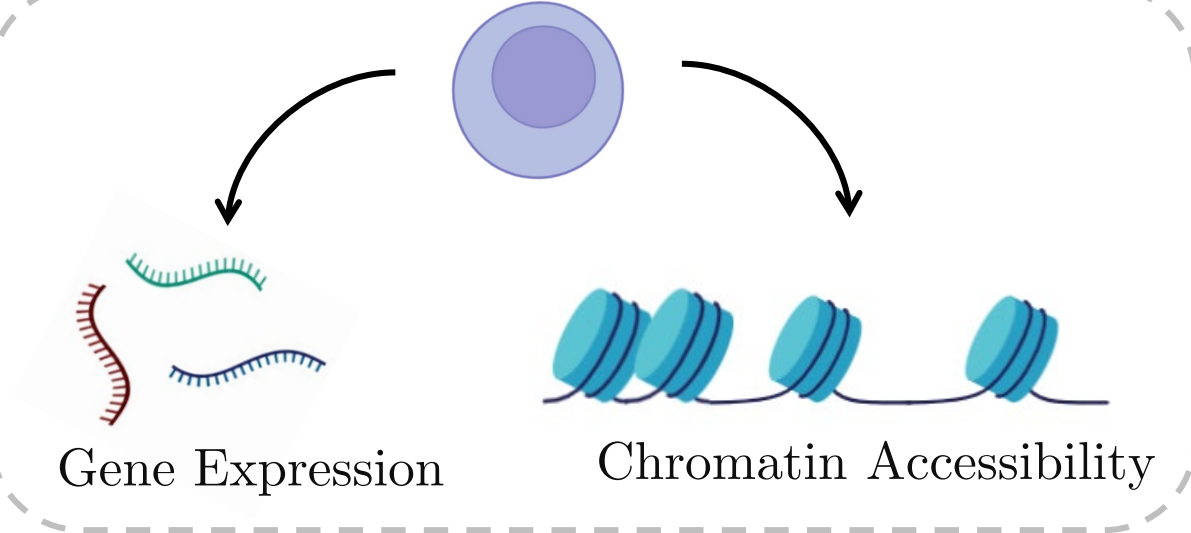


Image-Text Pair

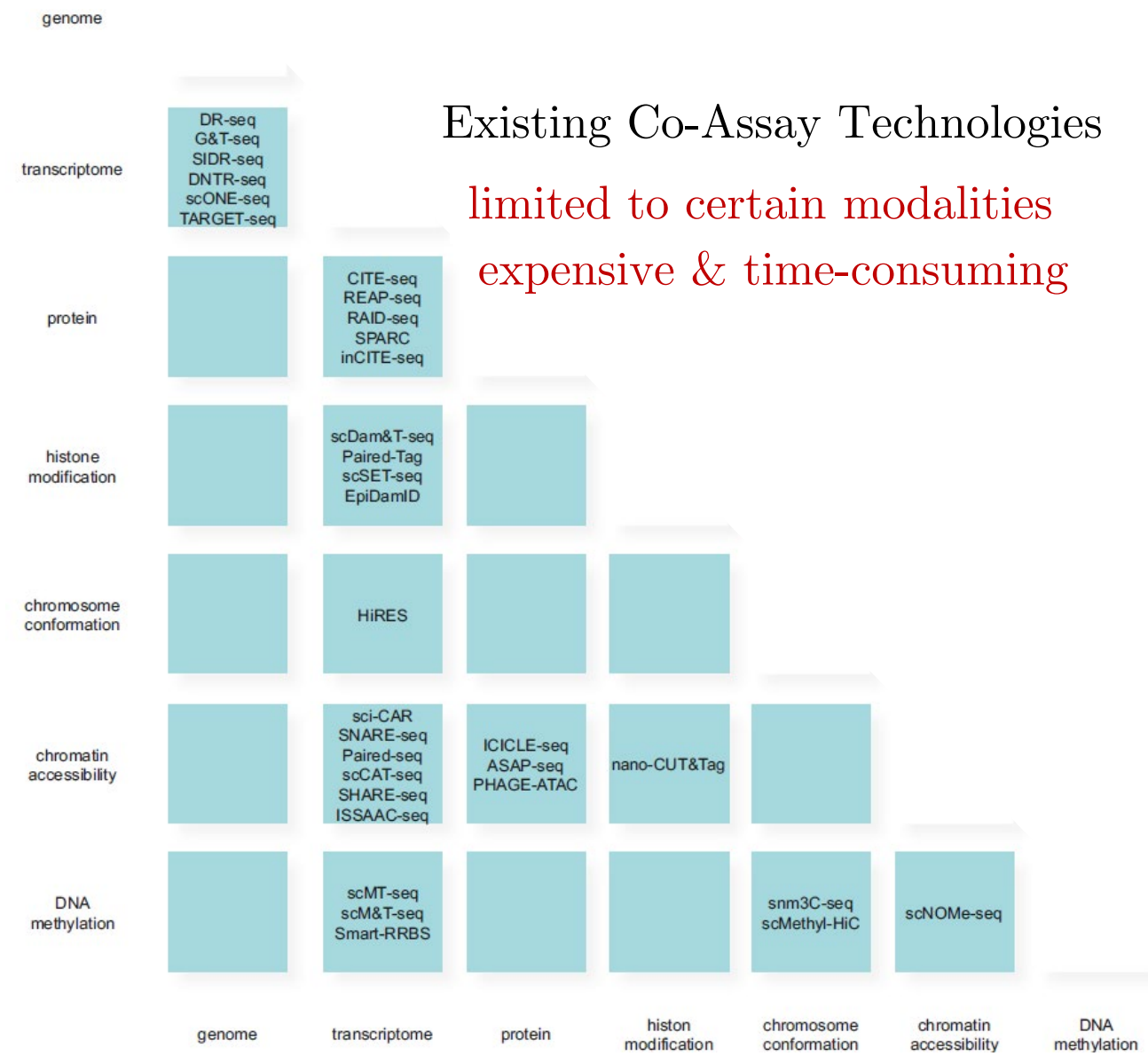


Unaligned Datasets Pose Extra Challenges (cont.)

Co-Assay Data

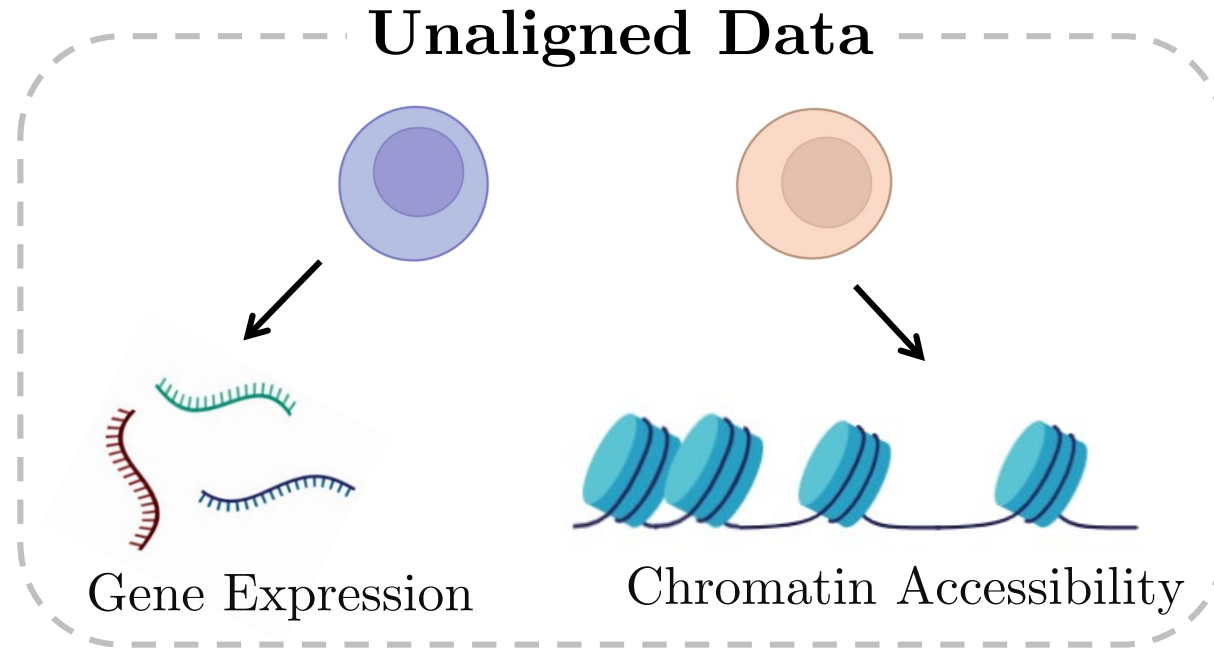


- Limits co-assay scalability across development stages and complex tissues



Unaligned Datasets Pose Extra Challenges (cont.)

- Majority of temporal multi-modal datasets remain unaligned across modalities



- Each modality is profiled on different sets of cells

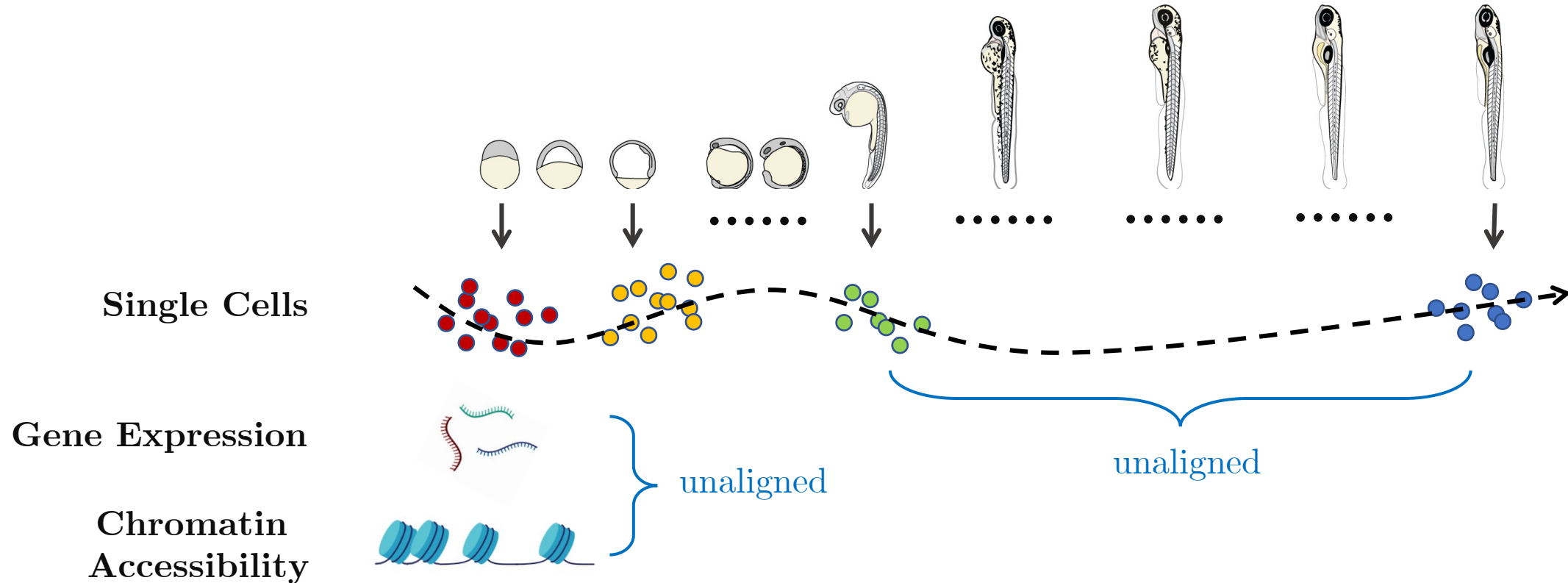
Unaligned Datasets Pose Extra Challenges (cont.)

- Different set of cells are measured at each timepoint (destruction of single-cell tech.)



Unaligned Datasets Pose Extra Challenges (cont.)

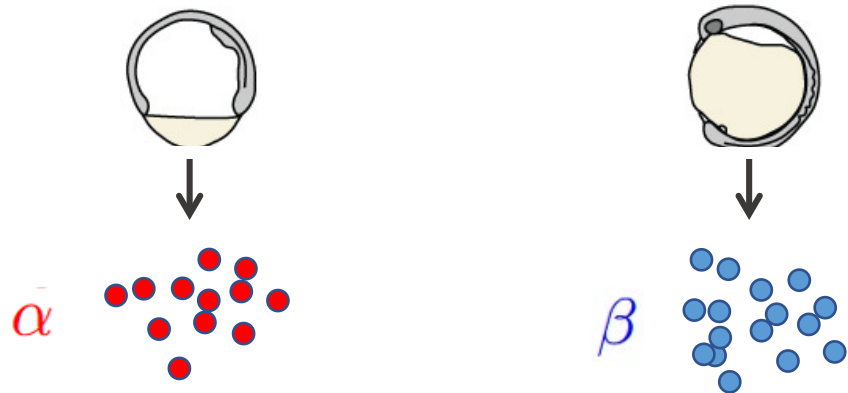
- Different set of cells are measured at each timepoint (destruction of single-cell tech.)



Problem I: unsupervised cell correspondence across modalities & timepoints

Unsupervised Cell Alignment Through Optimal Transport

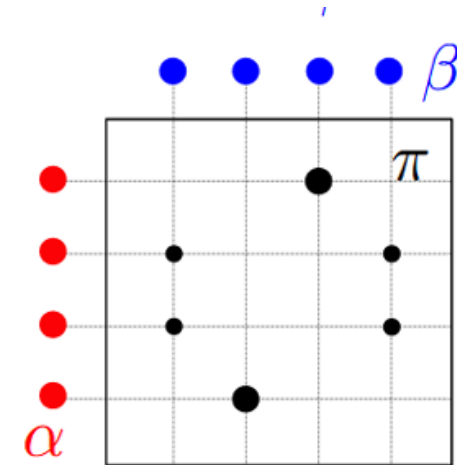
- **Problem I:** unsupervised cell correspondence across modalities & **timepoints**
- **Solution: cell alignment with optimal transport**



Transport cost $\mathbf{D}$

Pair-wise distance between masses of two distributions

$$\mathbf{D}_{ij} = \|i - j\|_2 \quad \text{with } i \in \alpha \text{ and } j \in \beta$$



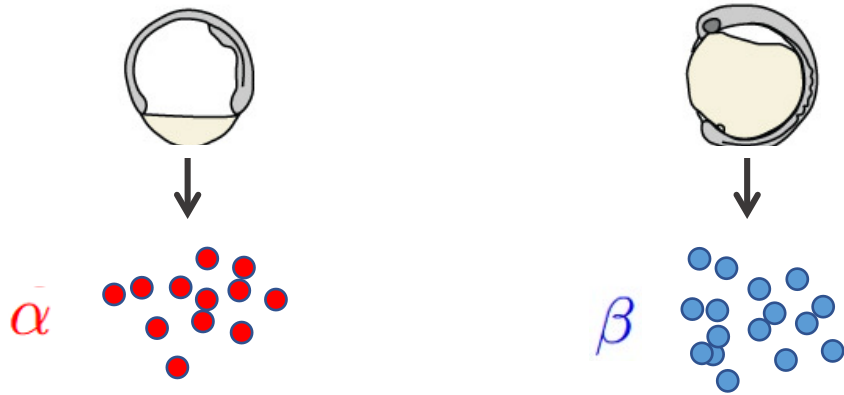
Transport plan π

Mapping masses of two distributions

- Optimal transport find the best cell correspondence between two set of cells

Unsupervised Cell Alignment Through Optimal Transport

- **Problem I:** unsupervised cell correspondence across **modalities** & timepoints
- **Solution:** cell alignment with optimal transport

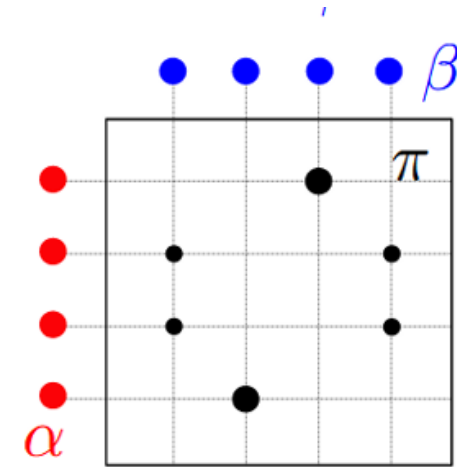


Transport cost $\mathbf{D}$

Pair-wise distance between masses of two distributions

$$\mathbf{D}_{ij} = \|i - j\|_2 \text{ with } i \in \alpha \text{ and } j \in \beta$$

different modality has different feature space
distance computation is inapplicable

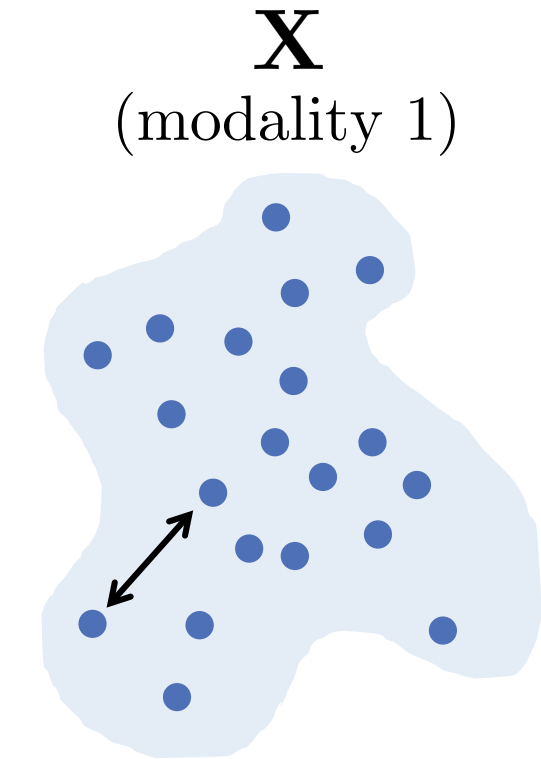


Transport plan π

Mapping masses of two distributions

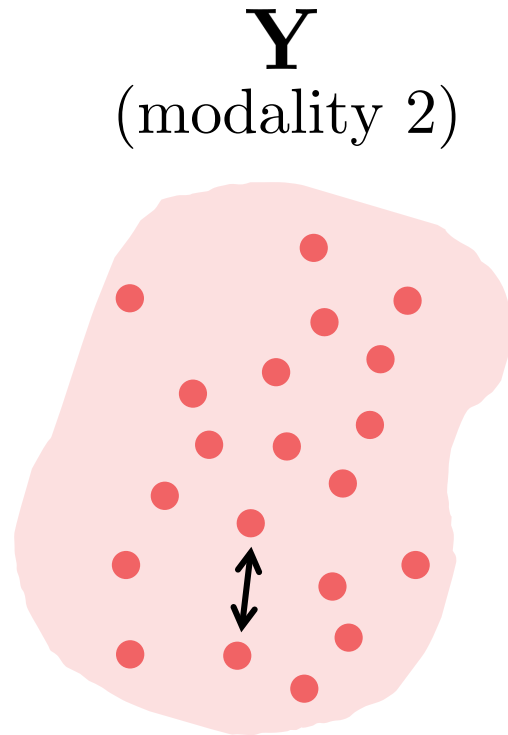
Unsupervised Cell Alignment Through Optimal Transport (cont.)

- We adopt Gromov-Wasserstein (GW) optimal transport to align cells across modalities



D

$$\mathbf{D}_{ij} = \| \mathbf{X}_i - \mathbf{X}_j \|_2$$



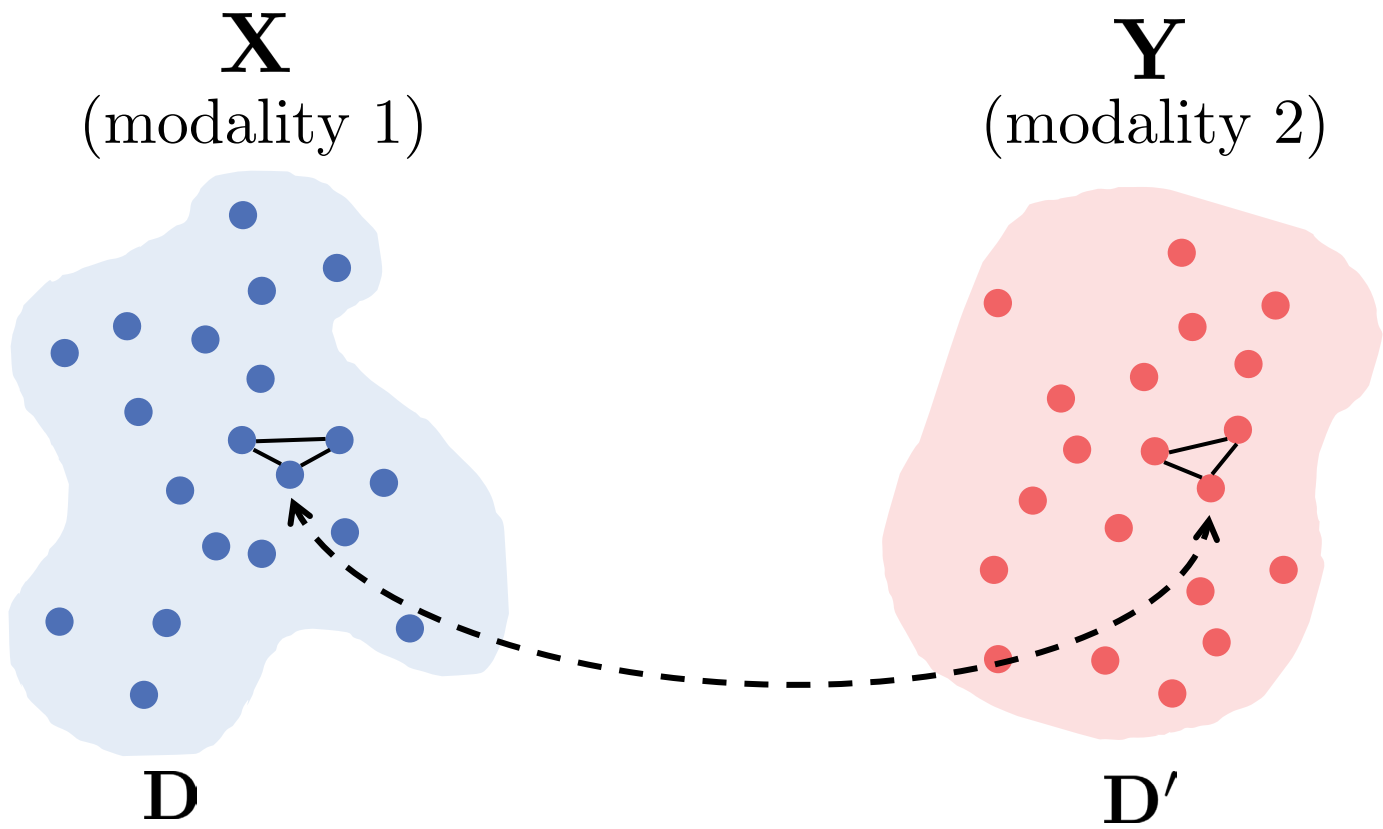
D'

$$\mathbf{D}'_{ij} = \| \mathbf{Y}_i - \mathbf{Y}_j \|_2$$

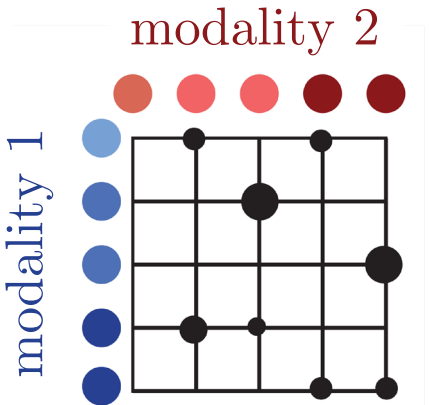
- Step 1: compute pair-wise distance within each modality

Unsupervised Cell Alignment Through Optimal Transport (cont.)

- We adopt Gromov-Wasserstein (GW) optimal transport



- Step 1: compute pair-wise distance within each modality
- Step 2: align two cells if they have similar local structures



Transport plan π

Mapping cells of two modalities while keeping local geometry

$$\min \sum_{i,i',j,j'} \underbrace{\| \mathbf{D}_{ii'} - \mathbf{D}'_{jj'} \|^2}_{\substack{\text{local structure} \\ \text{of modality 1}}} \pi_{ij} \pi_{i'j'}$$

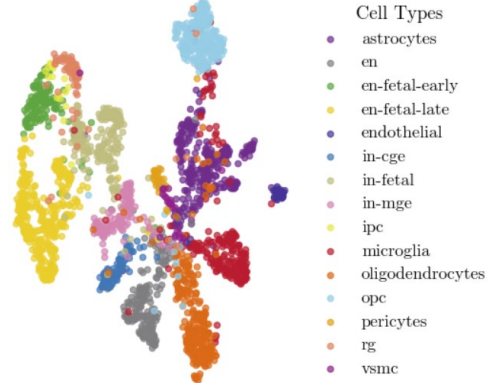
local structure of modality 1 local structure of modality 2

Existing Aligning Methods Overlook Underlying Cellular Dynamics

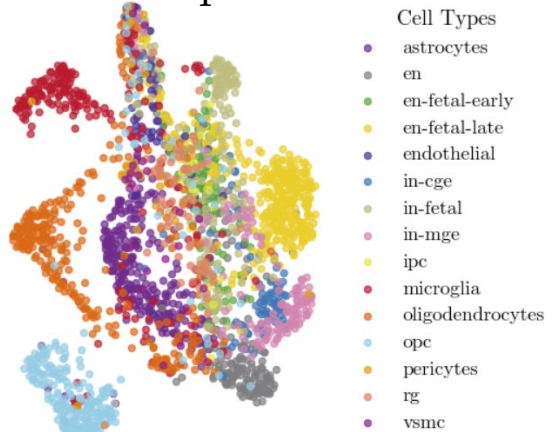
- Previous integration methods focus on separating different cell types and ignore the cell transition dynamics

cell type separations + cell developmental trajectories ?

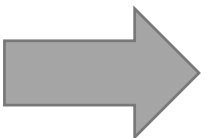
Gene expression (mod. 1)
cell representation



Chromatin accessibility (mod. 2)
cell representation



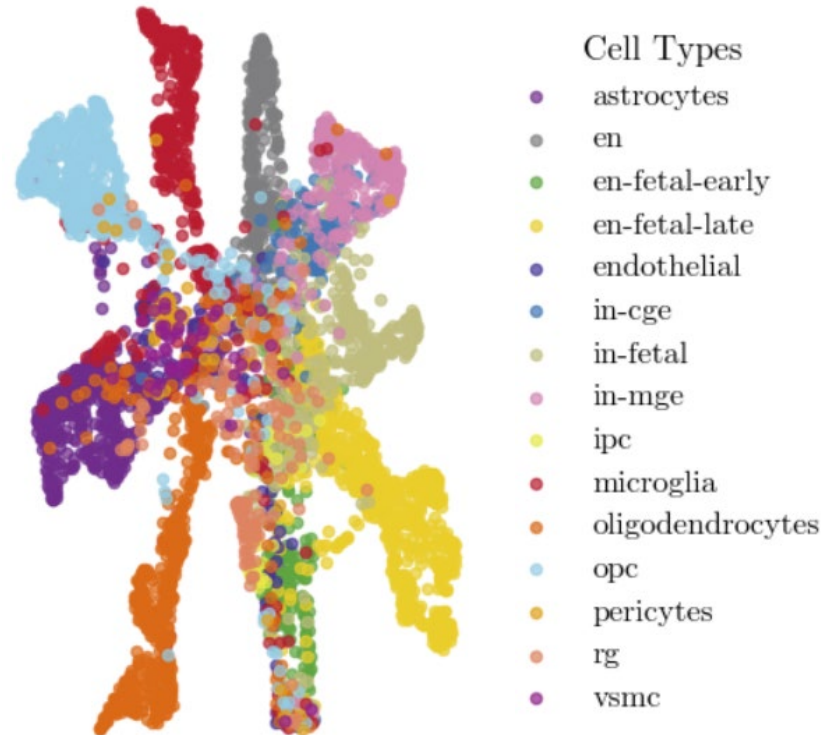
local cell cluster ✓
global cell dynamic ✗



Problem II: cellular dynamics are ignored during integration

Integration of a SCOTv2

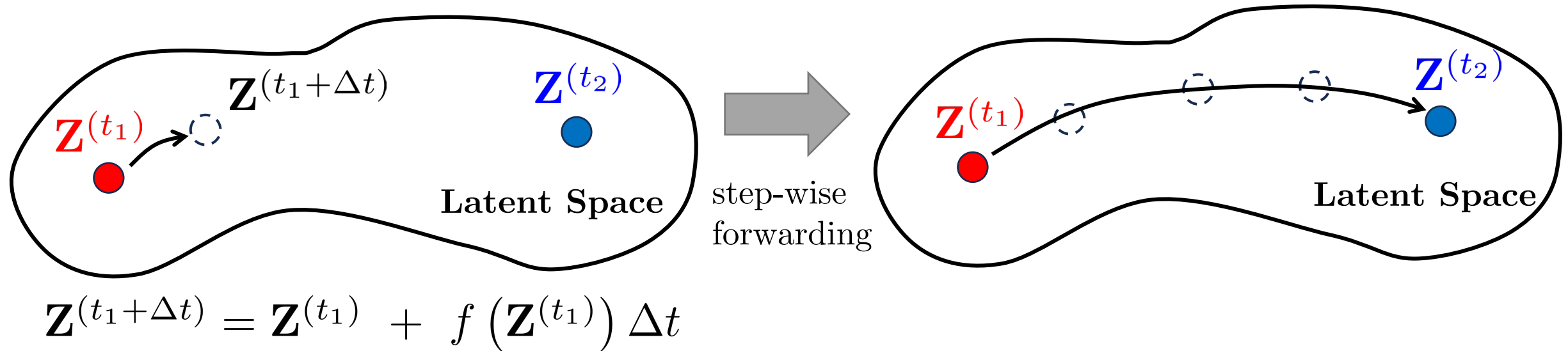
[Demetci., et. al., *J. Comput. Biol.*, 2022]



Existing Aligning Methods Overlook Underlying Cellular Dynamics (cont.)

(unsolved in previous works)

- **Problem II:** cellular dynamics are ignored during integration
- **Solution:** incorporate dynamics with differential equations
- Adopt differential equation in latent space to capture cell dynamics



- Adjust the latent space with cellular dynamics captured in modelling

Limitations of Existing Works

- **Problem I:** unsupervised cell correspondence across modalities & timepoints

Solution: cell alignment with Gromov-Wasserstein Optimal Transport

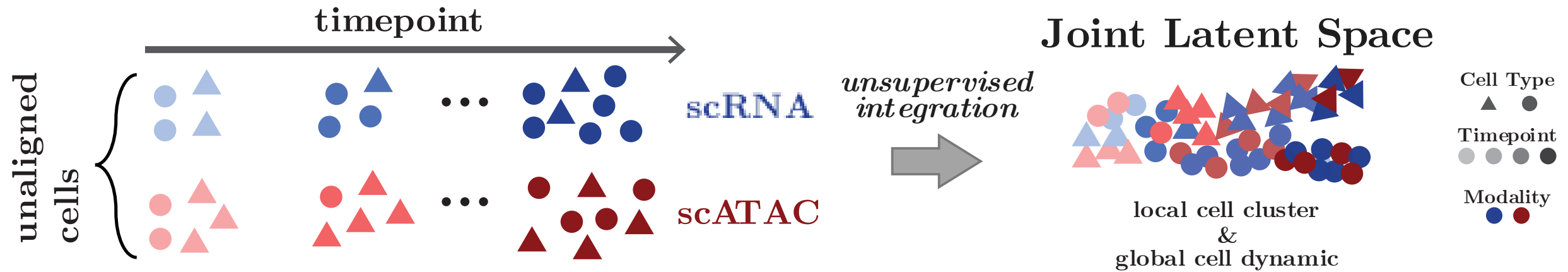
- **Problem II:** cellular dynamics are ignored during integration

Unsolved in previous works

Solution in our work: adjust the latent space with cellular dynamics

Limitations of Existing Works (cont.)

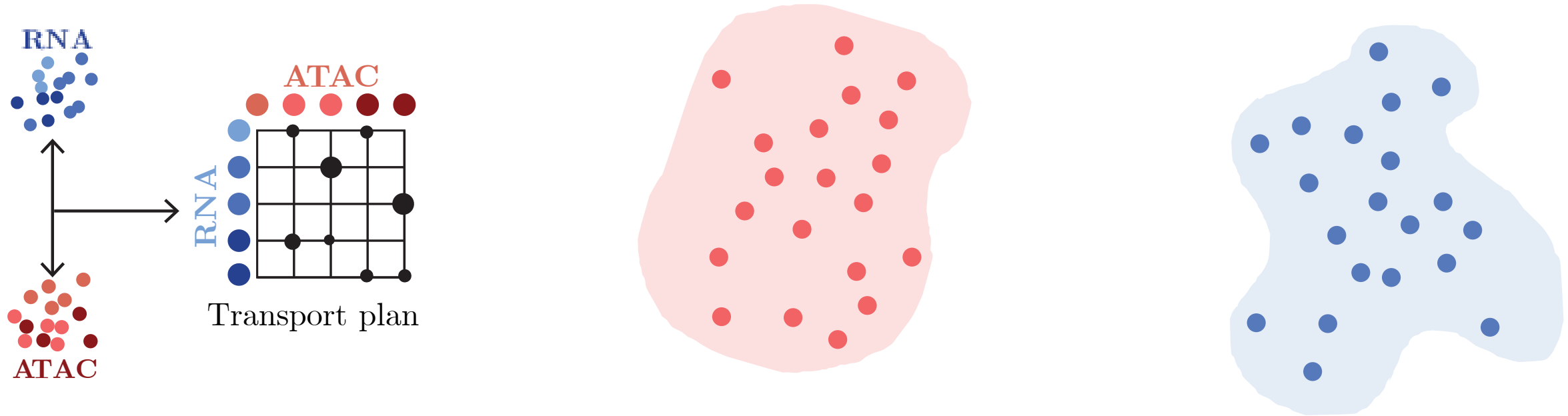
- **Goal:** during multi-modal single-cell integration, preserve both
 - local cell relationships (e.g., cell type distinctions)
 - global cellular dynamics (e.g., complex developmental trajectories)



(scRNA-seq: gene expression; scATAC-seq: chromatin accessibility)

Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

- **Step I:** uses Quantized Gromov-Wasserstein (QGW) to learn cross-modal cell alignment



$$\min \sum_{i,i',j,j'} \left\| \mathbf{D}_{ii'} - \mathbf{D}'_{jj'} \right\|^2 \pi_{ij} \pi_{i'j'}$$

local structure of RNA cells

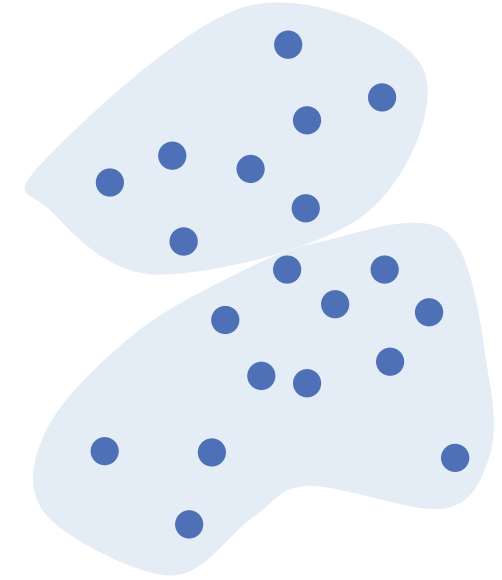
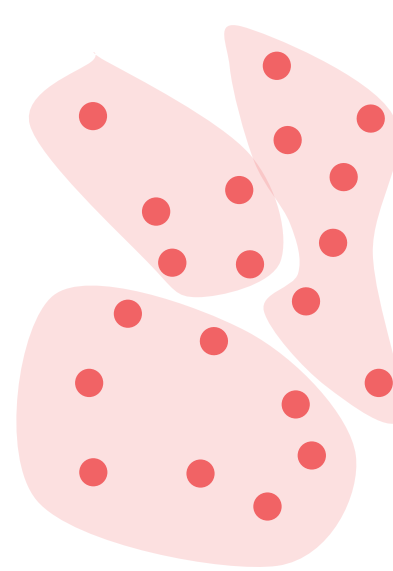
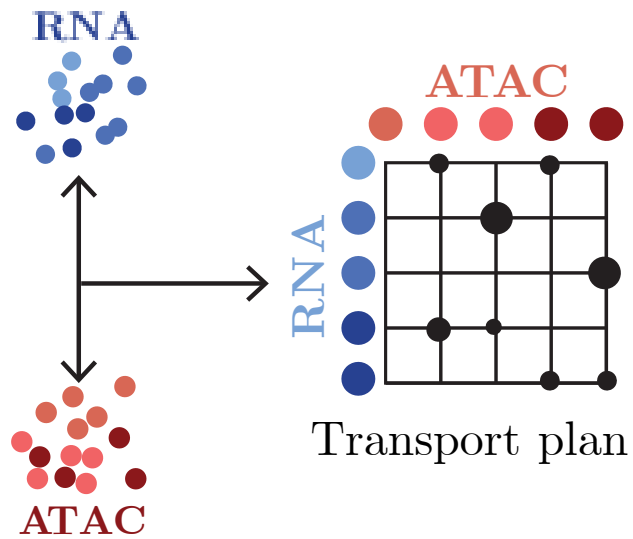
local structure of ATAC cells

exact GW is NP-hard

expensive for large-scale single-cell data

Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

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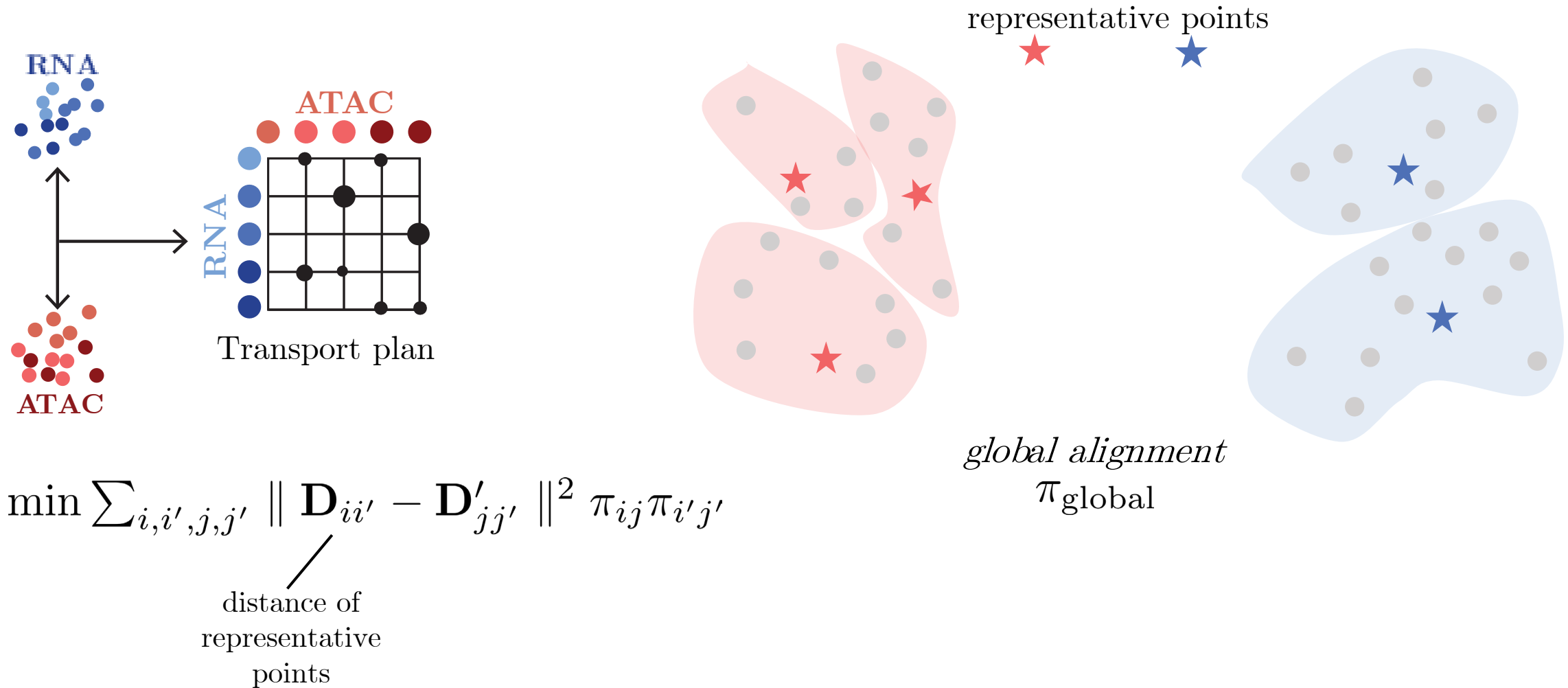


$$\min \sum_{i,i',j,j'} \| \mathbf{D}_{ii'} - \mathbf{D}'_{jj'} \|^2 \pi_{ij} \pi_{i'j'}$$

divide-and-conquer strategy

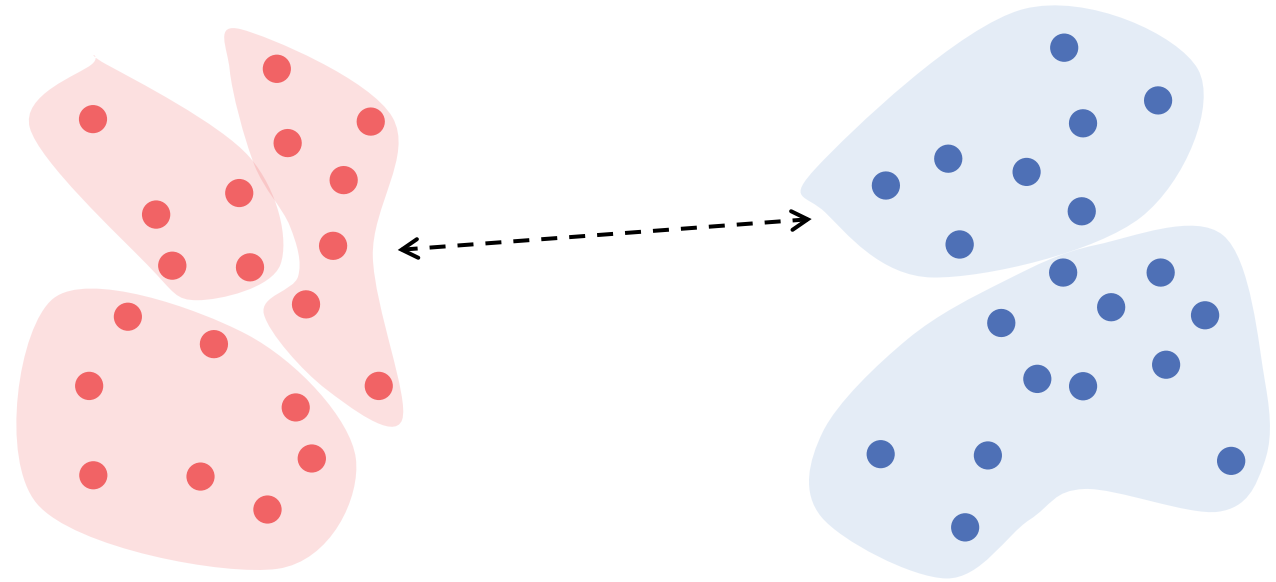
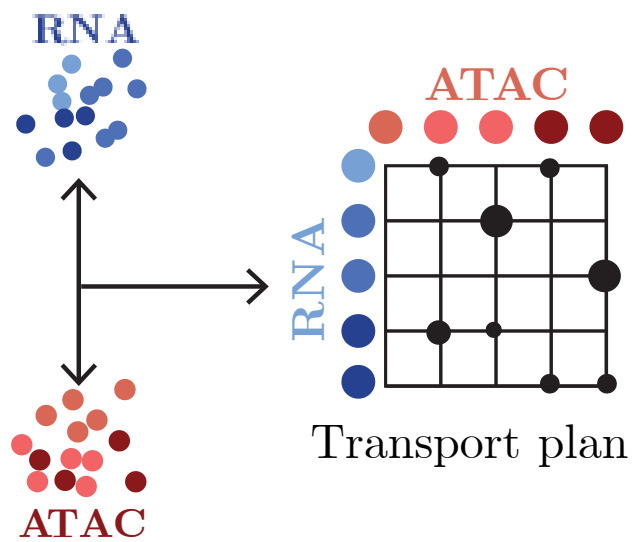
Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

- **Step I:** uses **Quantized Gromov-Wasserstein (QGW)** to learn cross-modal cell alignment



Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

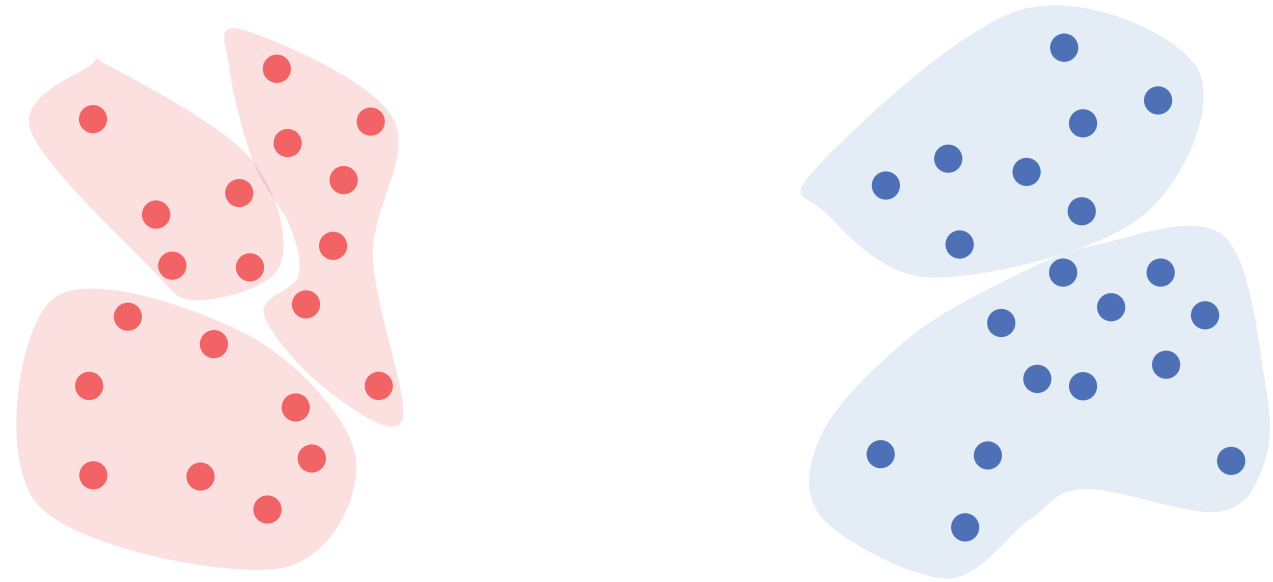
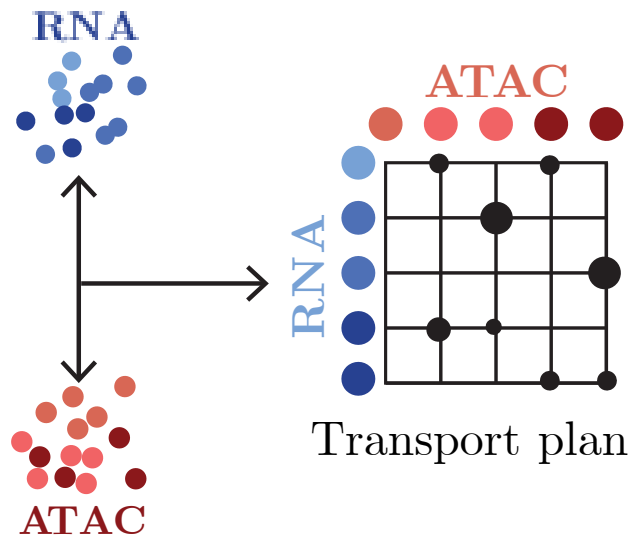
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Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

- **Step I:** uses **Quantized Gromov-Wasserstein (QGW)** to learn cross-modal cell alignment

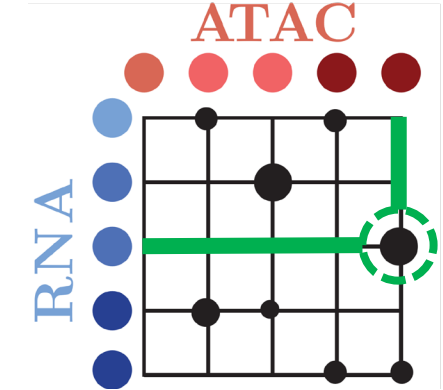


$$\text{overall alignment} = \pi_{\text{global}} \times \pi_{\text{local}}$$

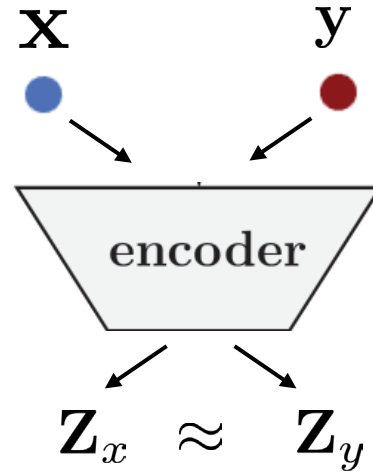
significantly reduce time costs

Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

- **Step II:** mapping multi-modal cell profile to the joint latent space

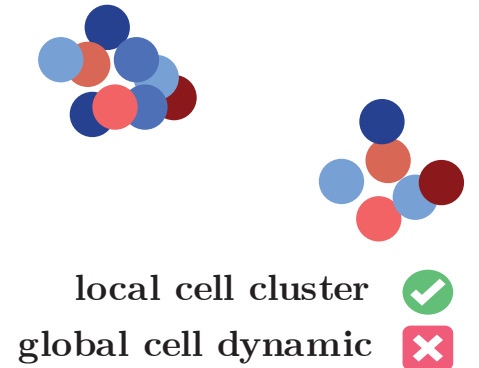


Assumption: **biologically similar cells**, despite being measured in different modalities, should **stay close**



$$\min \| z_x - z_y \| \text{ if } x \text{ and } y \text{ are aligned}$$

Joint Latent Space



Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

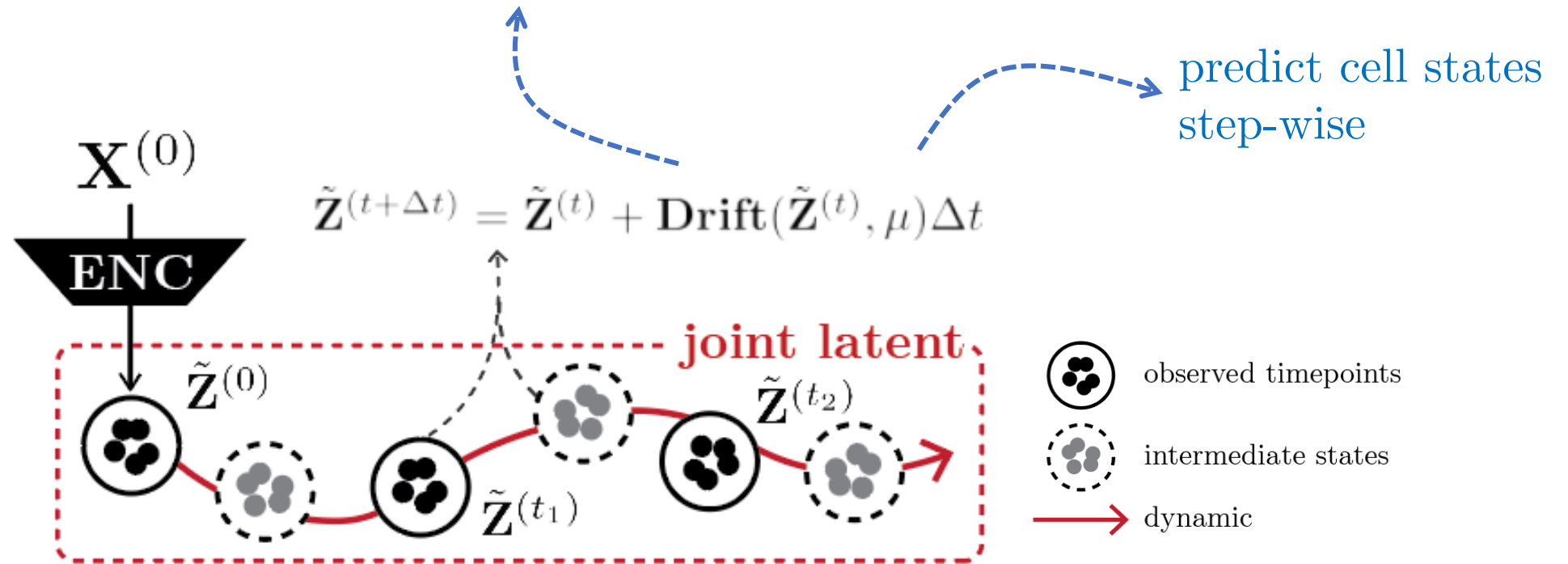
- **Step III:** incorporate cell dynamics with neural Ordinary Differential Equation (ODE)



Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

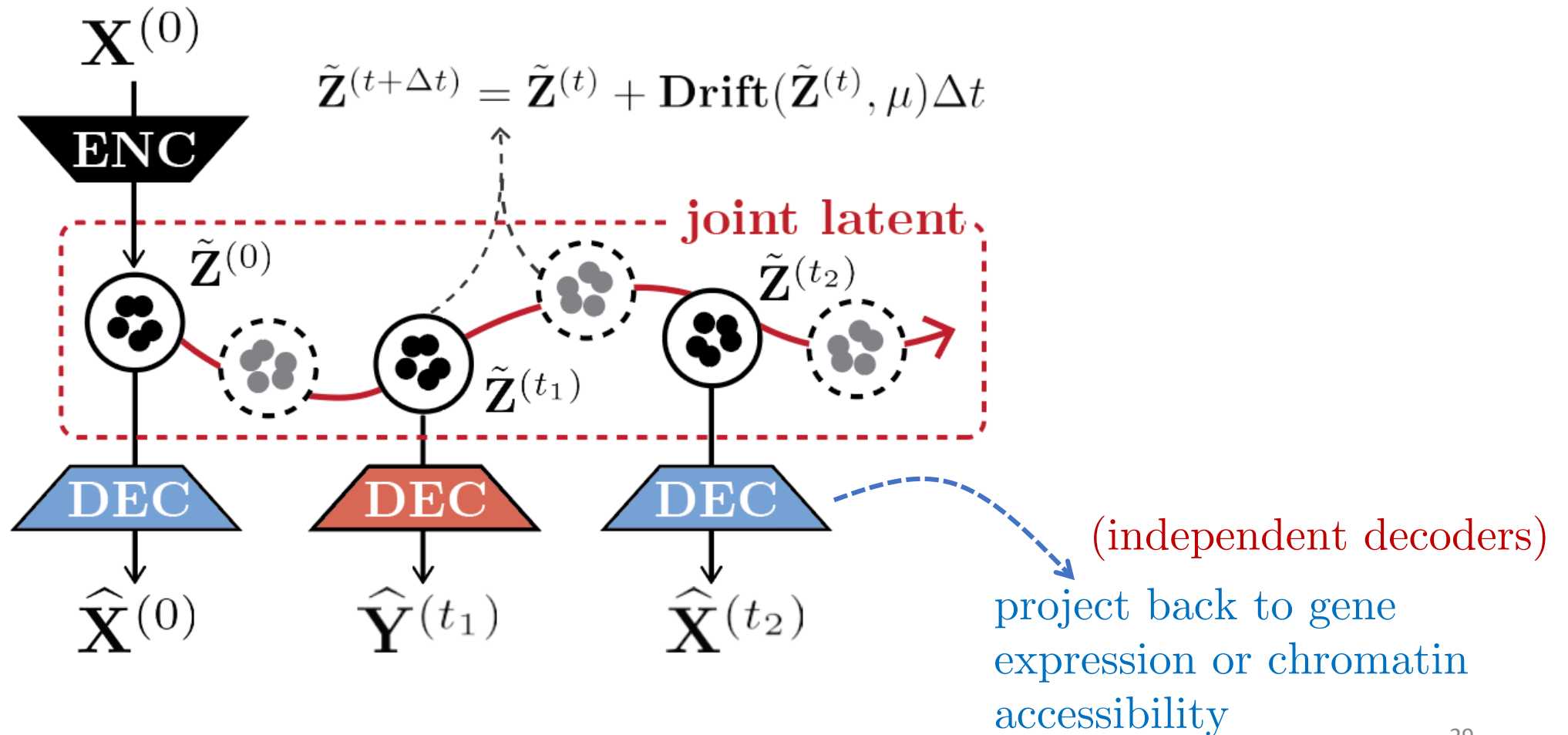
- **Step III:** incorporate cell dynamics with neural Ordinary Differential Equation (ODE)

neural network computing cell velocities



Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

- **Step III:** incorporate cell dynamics with neural Ordinary Differential Equation (ODE)



Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

- **Loss function:** reconstruction loss + dynamic regularization

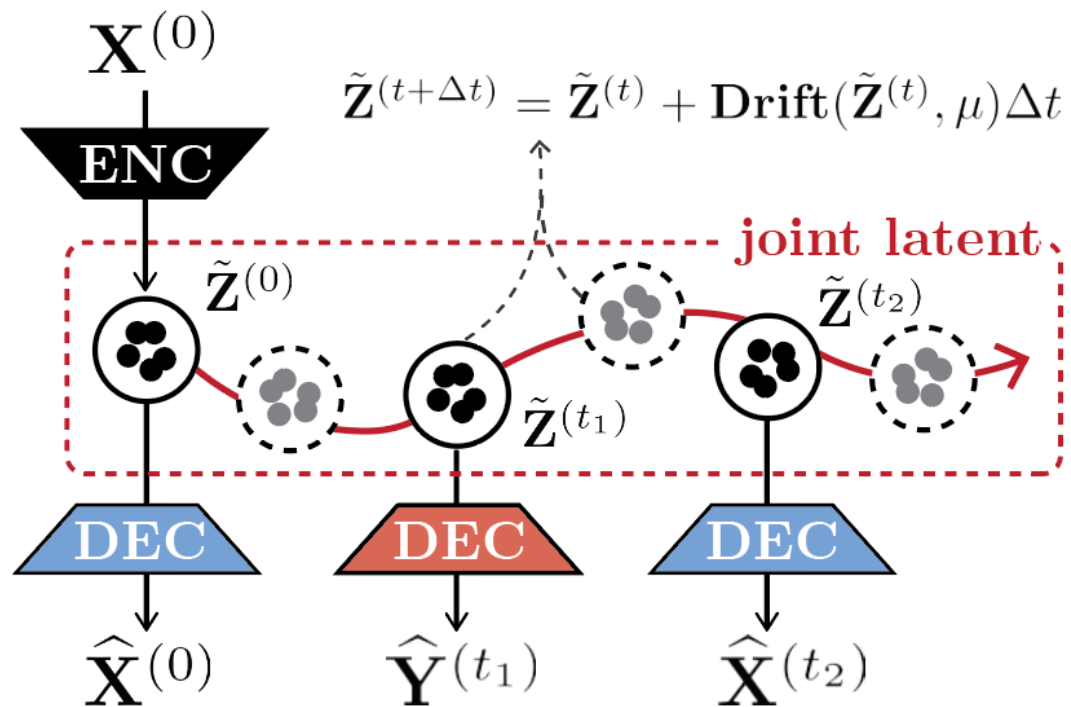
- Reconstruction loss:

- Use optimal transport distance as reconstruction loss

$$\sum_{t \in \mathcal{T}} \overset{\text{for RNA}}{\text{Wasserstein}}(X^{(t)}, \hat{X}^{(t)})$$

- Wasserstein distance between ground truth & predictions

$$\sum_{t \in \mathcal{T}} \overset{\text{for ATAC}}{\text{Wasserstein}}(Y^{(t)}, \hat{Y}^{(t)})$$



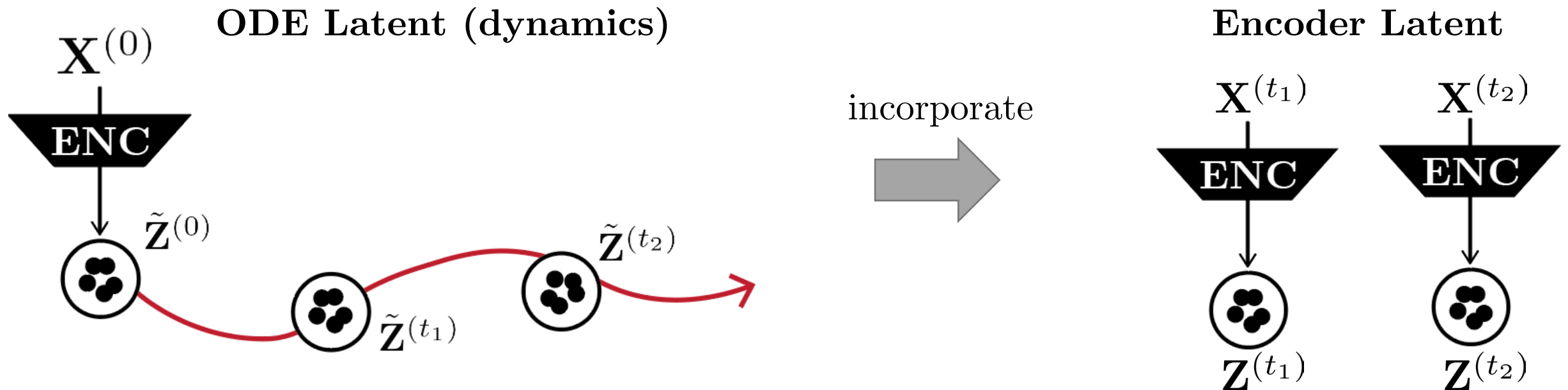
The diagram illustrates the Wasserstein distance calculation. It shows a grid where the rows represent "true data" (α) and the columns represent "predictions" (β). The grid contains black dots representing the optimal transport plan π . The Wasserstein distance is calculated as:

$$\text{Wass}(\alpha, \beta) = \left(\min_{\pi} \sum_{i,j} D_{ij}^2 \pi_{ij} \right)^{1/2}$$

Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

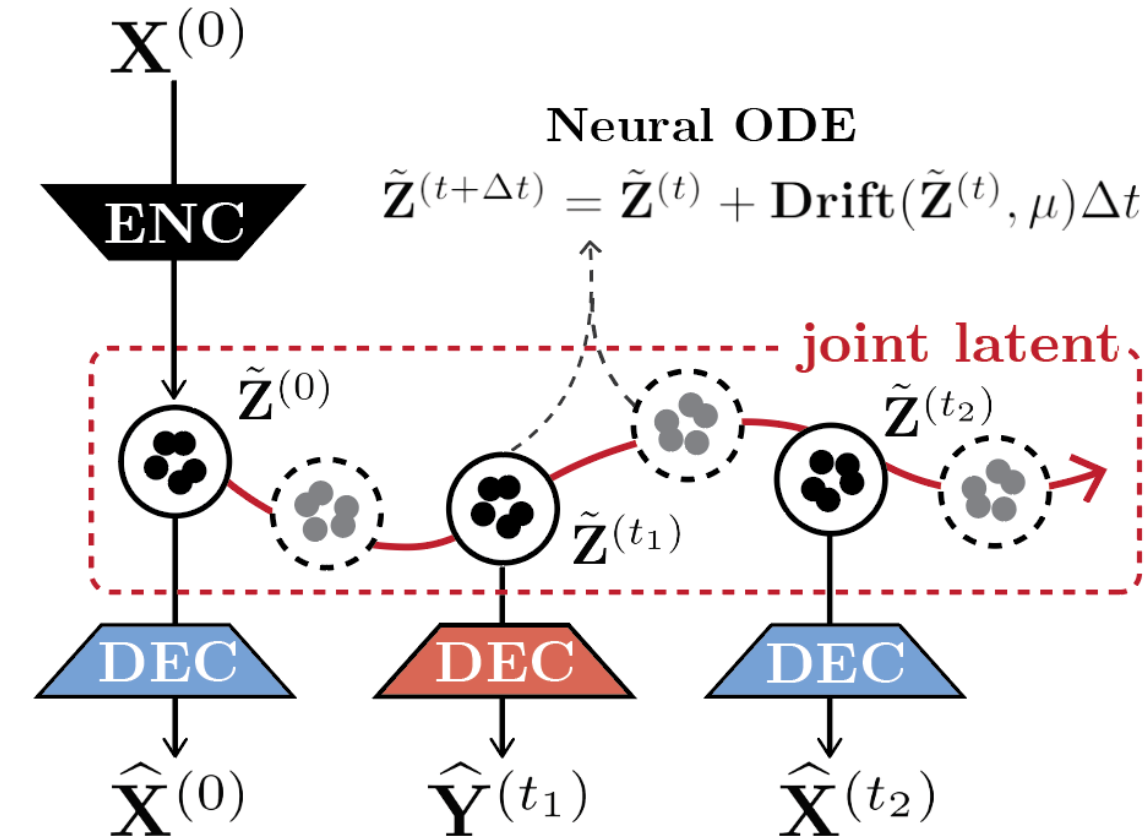
- **Loss function:** reconstruction loss + dynamic regularization
- Dynamic regularization:
 - Enforces latent space to incorporate dynamics learned by neural ODE

$$\text{Wasserstein}(\text{Encoder latent}, \text{ODE latent}) \rightarrow \text{Wasserstein}(\tilde{\mathbf{Z}}^{(t)}, \mathbf{Z}^{(t)})$$



Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

- **Step III:** incorporate cell dynamics with neural Ordinary Differential Equation (ODE)



Joint Latent Space
(w/ dynamics)



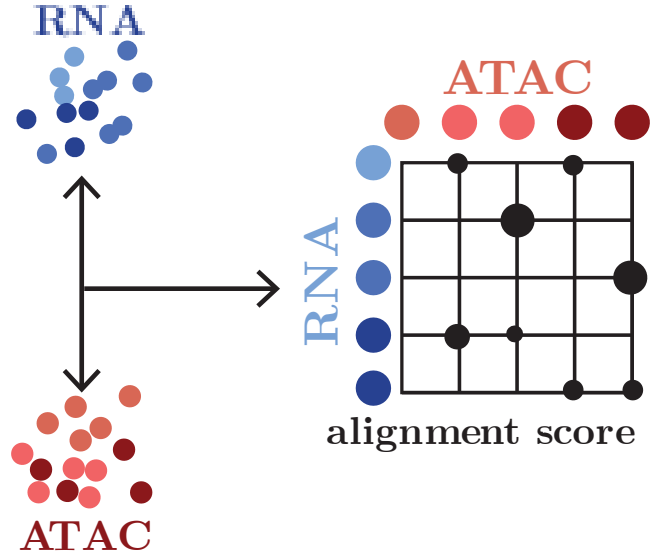
local cell cluster ✓
global cell dynamic ✓

(Loss function: reconstruction loss + dynamic regularization)

Our Method: single-cell Multi-Modal Neural Ordinary Differential Equation (scMultiNODE)

(Step I)

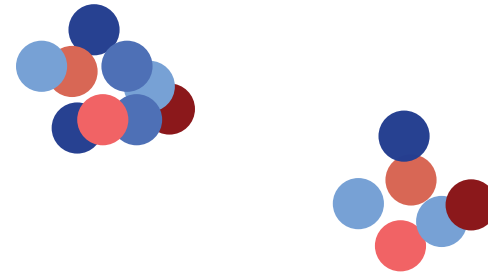
QGW optimal transport
unsupervised alignment



(Step II)

minimize distance
between aligned cells

Joint Latent Space

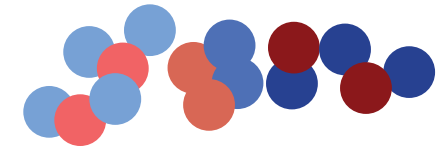


local cell cluster ✓
global cell dynamic ✗

(Step III)

incorporating cell dynamics
with neural ODE

Joint Latent Space
(w/ dynamics)



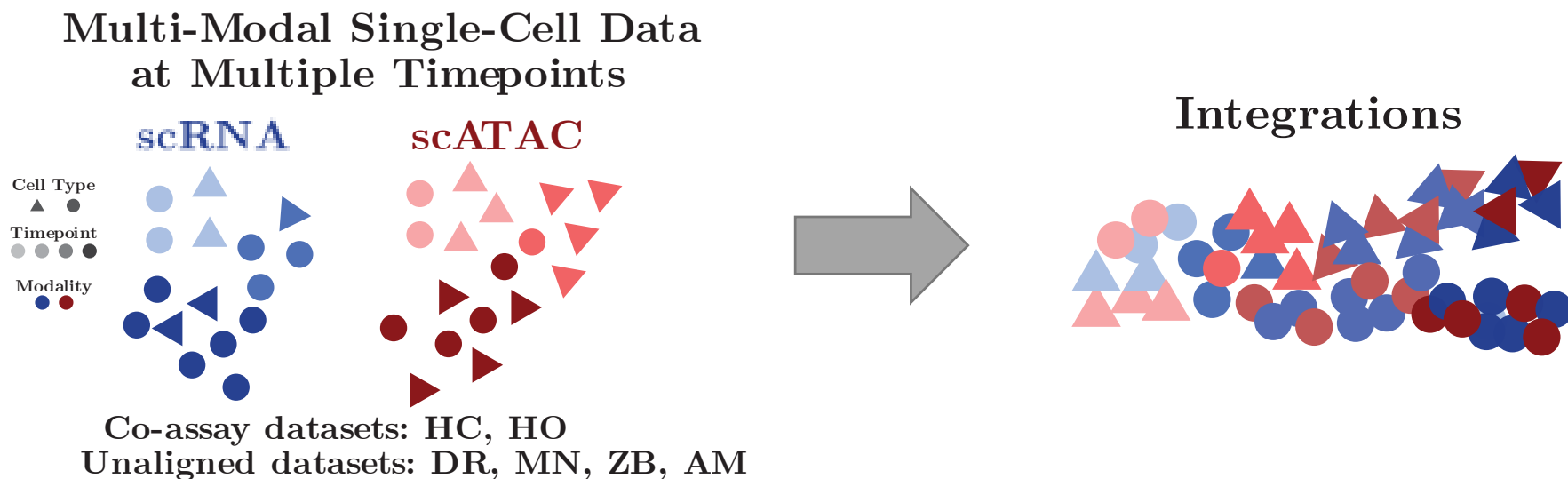
local cell cluster ✓
global cell dynamic ✓

Experiment Setup

- **Dataset:** six multi-modal single-cell datasets

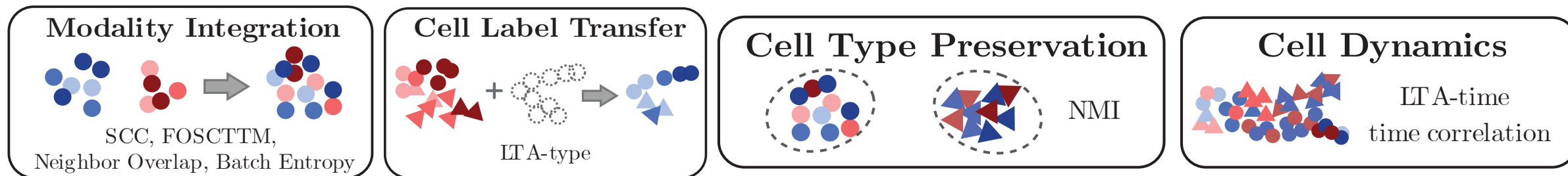
ID	Dataset	Species	# cells (RNA/ATAC)	# timepoints (RNA/ATAC)	Coassay	Source
HC	human cortex	<i>Homo sapiens</i>	2277/2277	10/10	Yes	[6]
HO	human organoid	<i>Homo sapiens</i>	10000/10000	11/11	Yes	[2]
DR	drosophila embryogenesis	<i>Drosophila melanogaster</i>	2738/4246	11/11	No	[1]
MN	mouse neocortex	<i>Mus musculus</i>	6098/1914	3/3	No	[5]
ZB	Zebrafish	<i>Danio rerio</i>	3692/9456	6/6	No	[3]
AM	amphioxus development	<i>Branchiostoma lanceolatum</i>	9630/3538	6/6	No	[4]

- **Setup:** temporally resolved multi-modal single-cell data integration



Experiment Setup

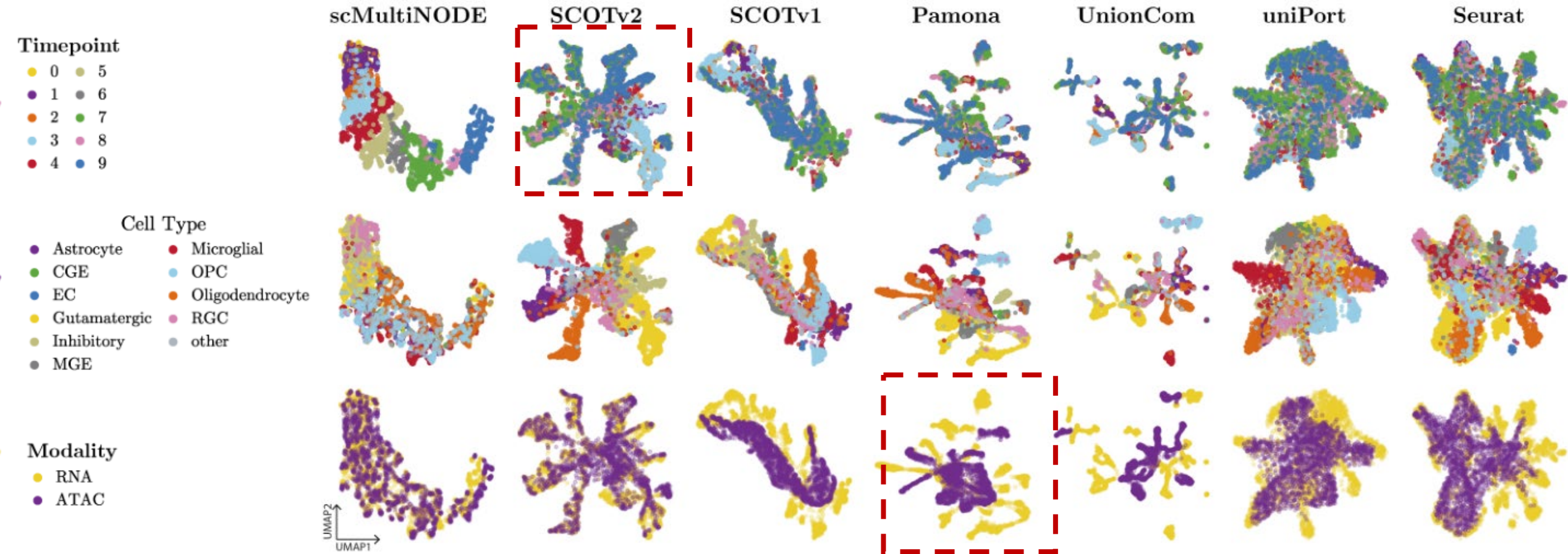
- **Evaluation:**



- **Baselines:** six state-of-the-art methods

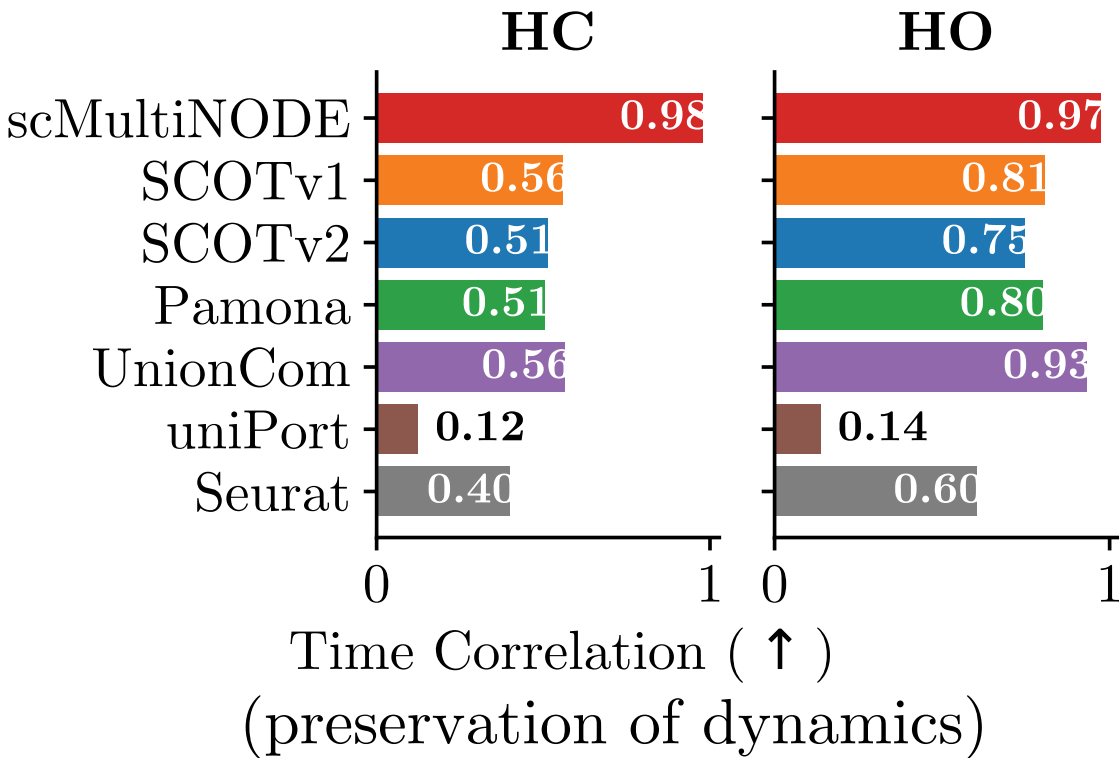
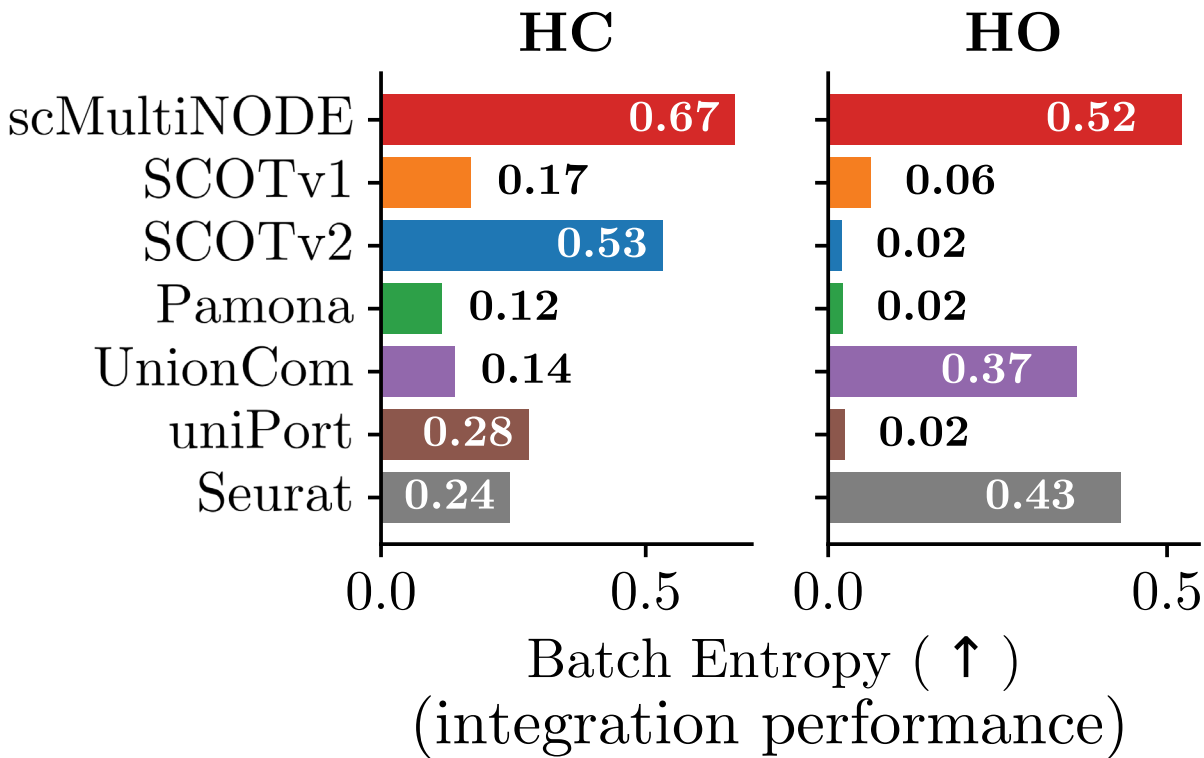
- SCOTv1 [Demetci,, et. al., *J. Comput. Biol.*, 2022]
- SCOTv2 [Demetci,, et. al., *J. Comput. Biol.*, 2022]
- Pamona [Cao, et. al., *Bioinformatics*, 2022]
- UnionCom [Cao, et. al., *Bioinformatics*, 2020]
- uniport [Cao, et. al., *Nat. Comm.*, 2022]
- Seurat [Hao, et. al., *Nat. Biotech.*, 2024]

Experiment I: scMultiNODE captures cellular developmental dynamics during multi-modal integration



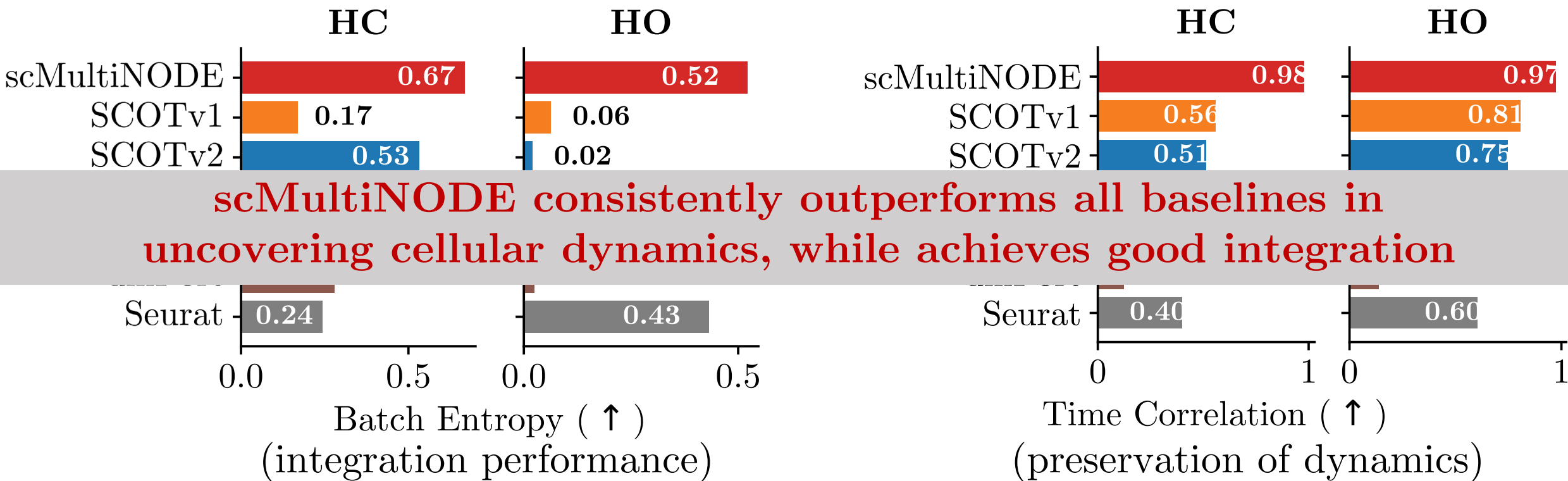
Experiment I: scMultiNODE captures cellular developmental dynamics during multi-modal integration (cont.)

- Human Cortex* (HC) and *Human Organoid* (HO) as examples



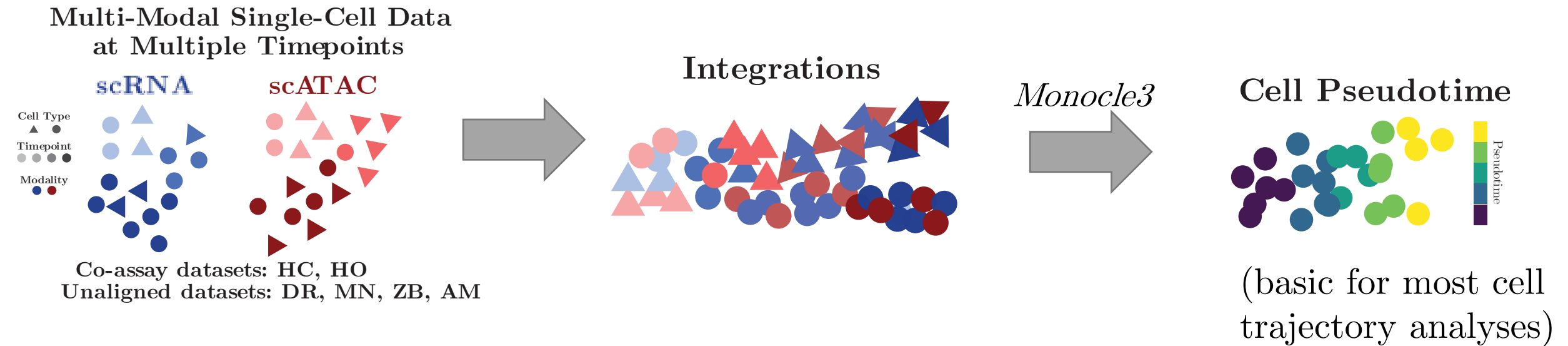
Experiment I: scMultiNODE captures cellular developmental dynamics during multi-modal integration (cont.)

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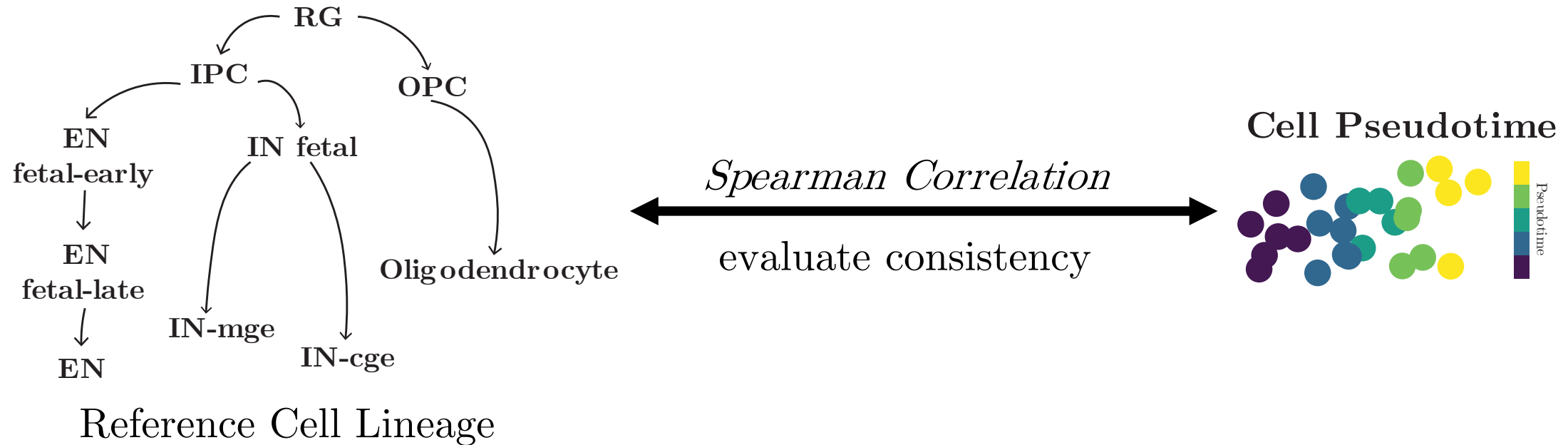
Experiment II: scMultiNODE's latent space preserves multifurcating cell development trajectories

- **Setup:** predict cell pseudotime in the joint latent space



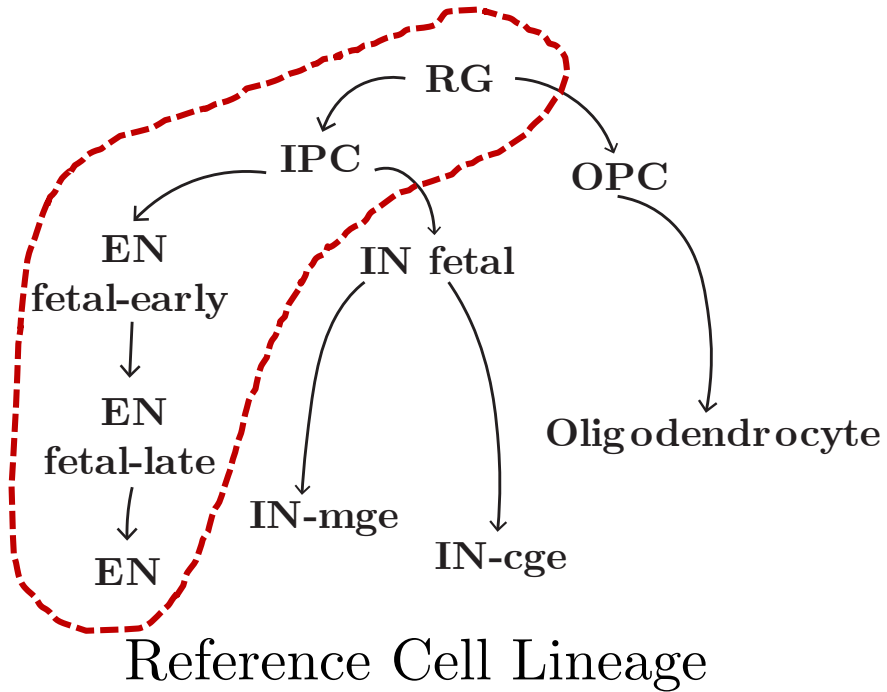
Experiment II: scMultiNODE's latent space preserves multifurcating cell development trajectories (cont.)

- Test on *human brain cortex* data

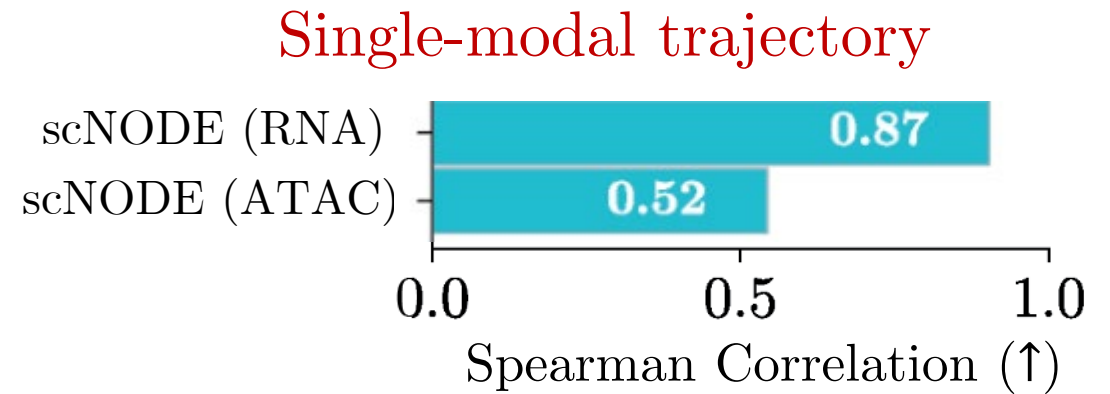


Experiment II: scMultiNODE's latent space preserves multifurcating cell development trajectories (cont.)

- Test on human brain cortex data



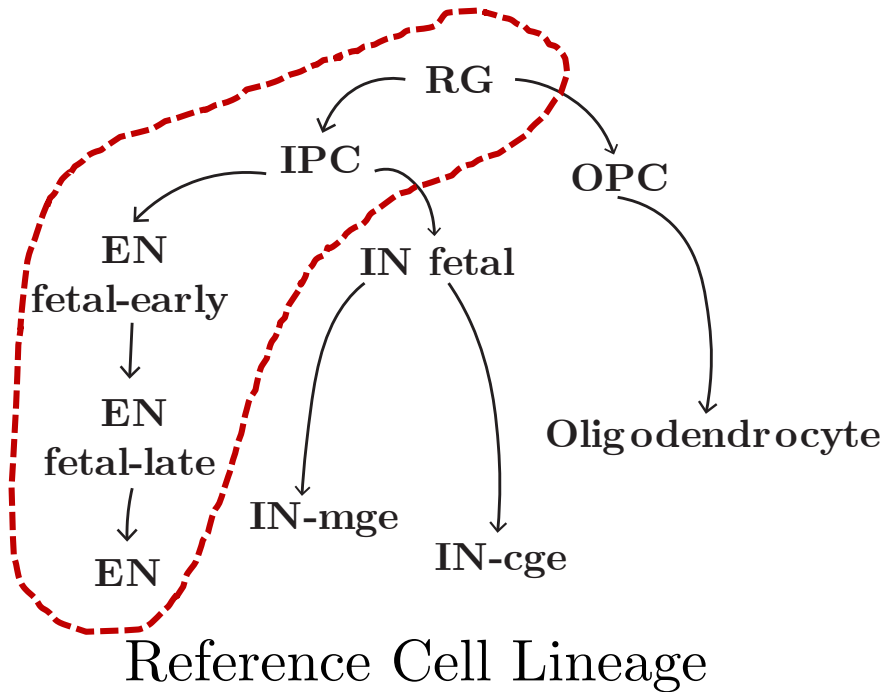
(scNODE: single-modal dynamic modelling)
[Zhang, et. al., *Bioinformatics.*, 2024]



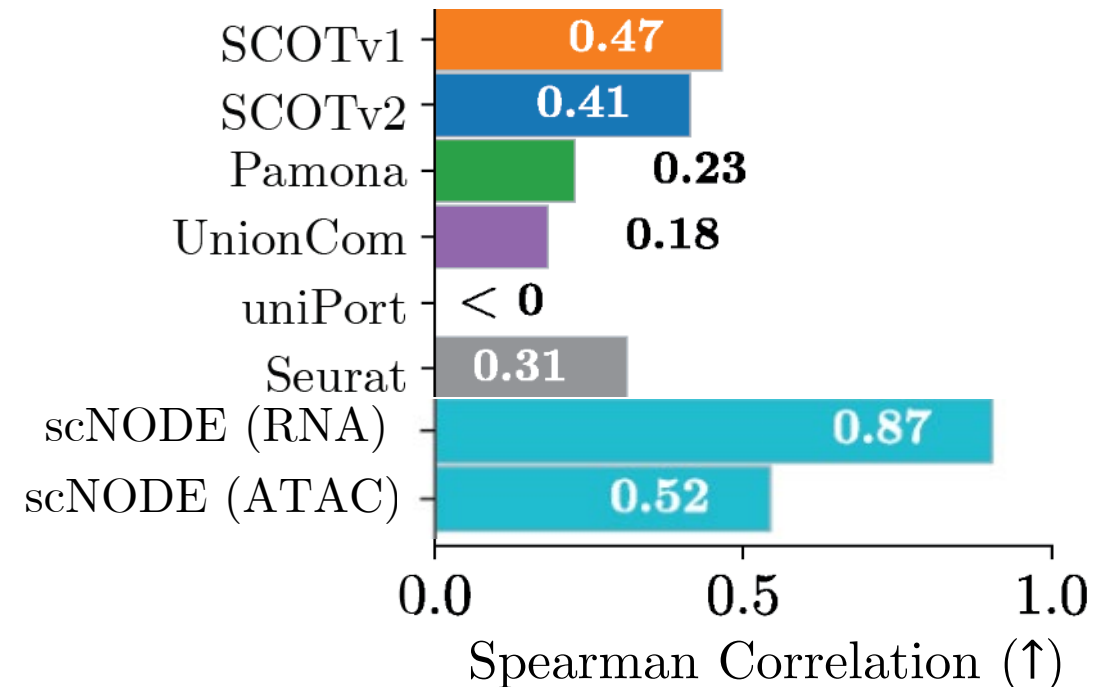
ATAC diminishes cell trajectories

Experiment II: scMultiNODE's latent space preserves multifurcating cell development trajectories (cont.)

- Test on human brain cortex data



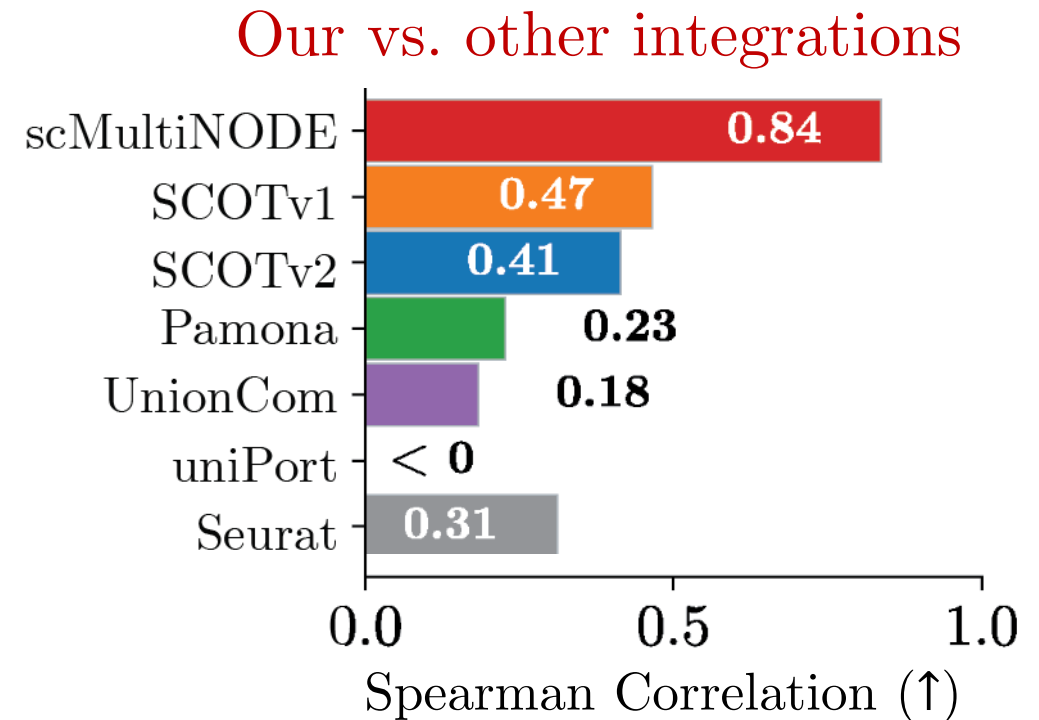
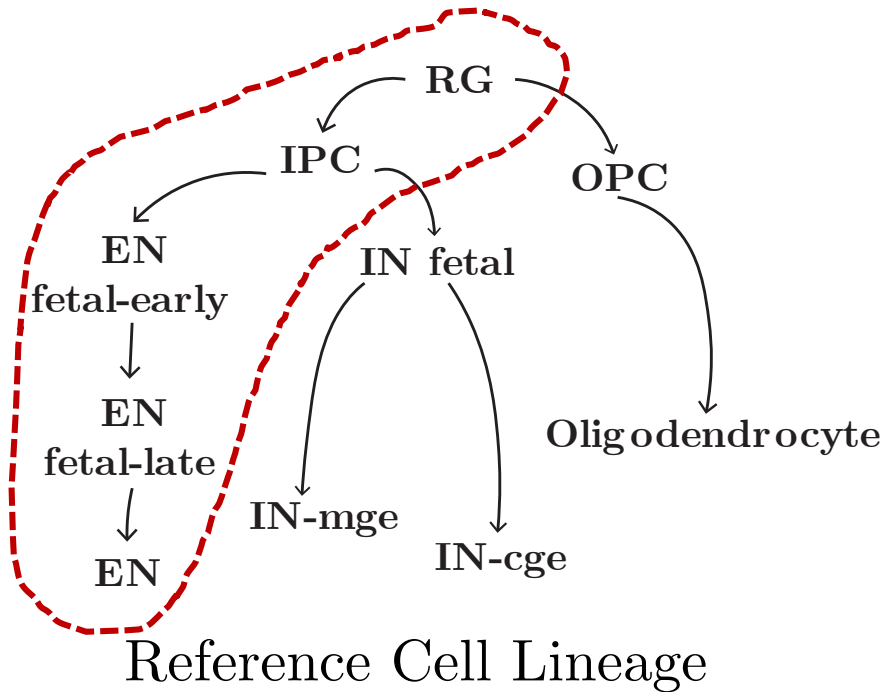
Integration vs. Single-modal trajectory



previous integration methods lose cell trajectories

Experiment II: scMultiNODE's latent space preserves multifurcating cell development trajectories (cont.)

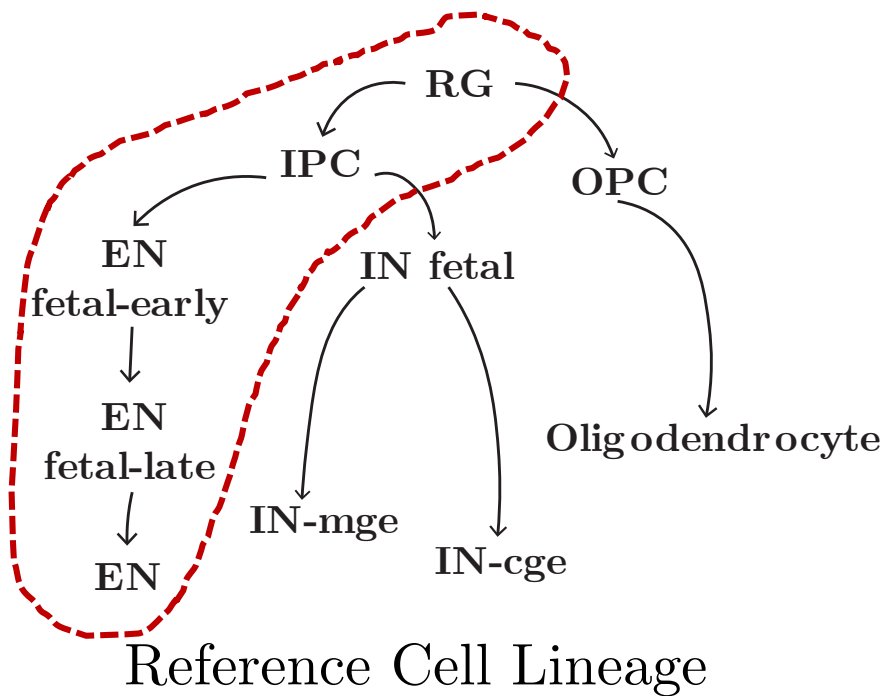
- Test on human brain cortex data



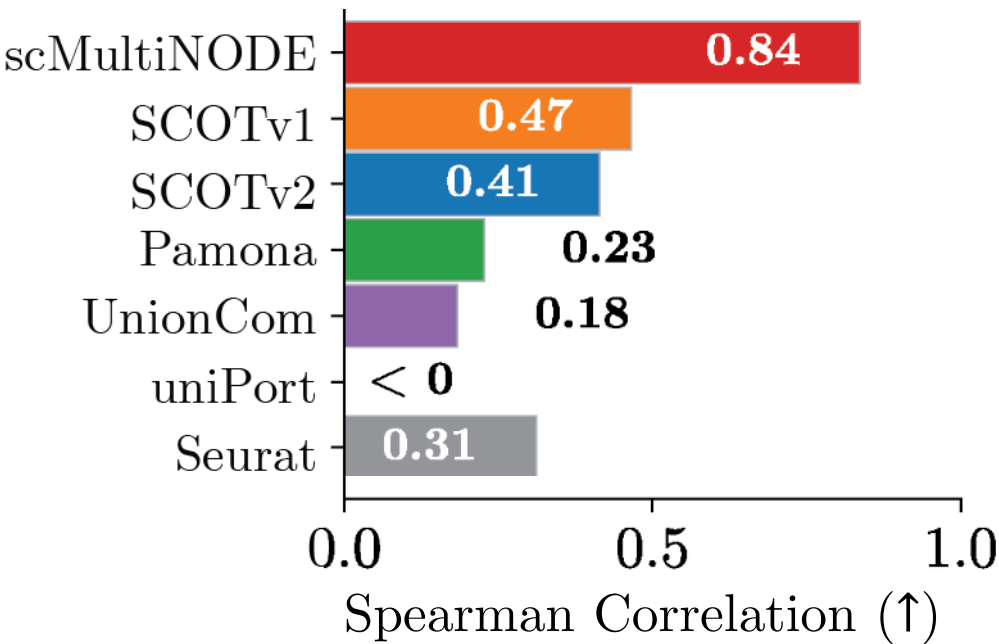
outperforms other multi-integration methods
on capturing complex cell trajectories

Experiment II: scMultiNODE's latent space preserves multifurcating cell development trajectories (cont.)

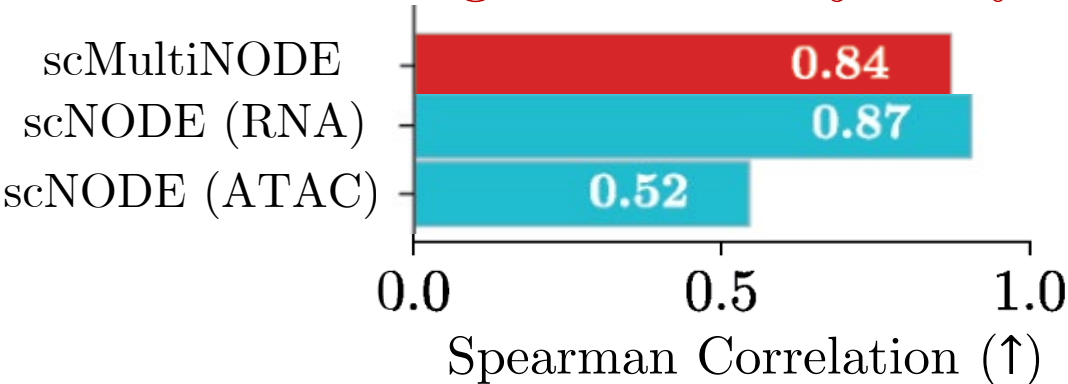
- Test on human brain cortex data



Our vs. other integrations

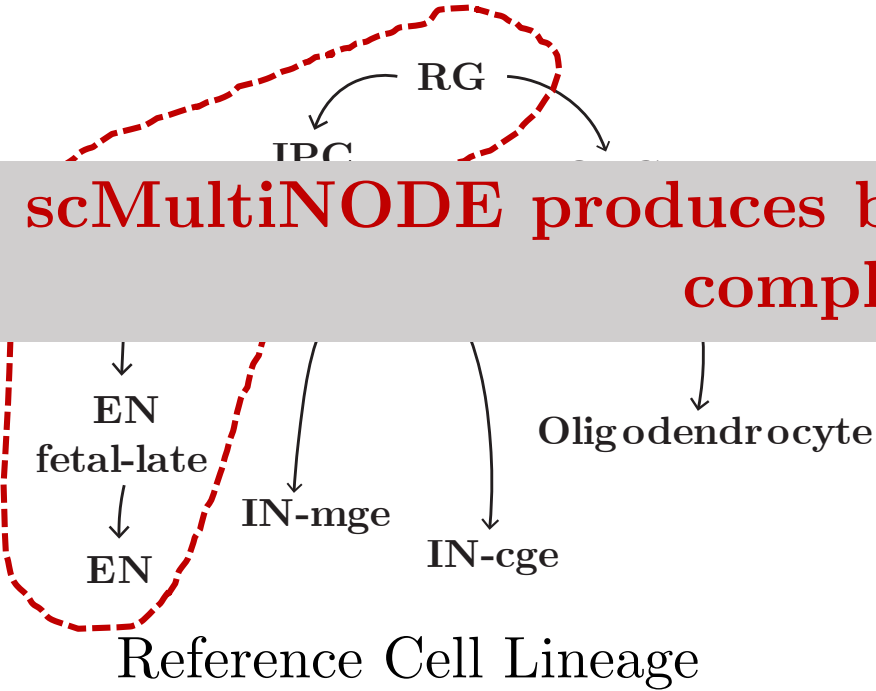


Our vs. single-modal trajectory



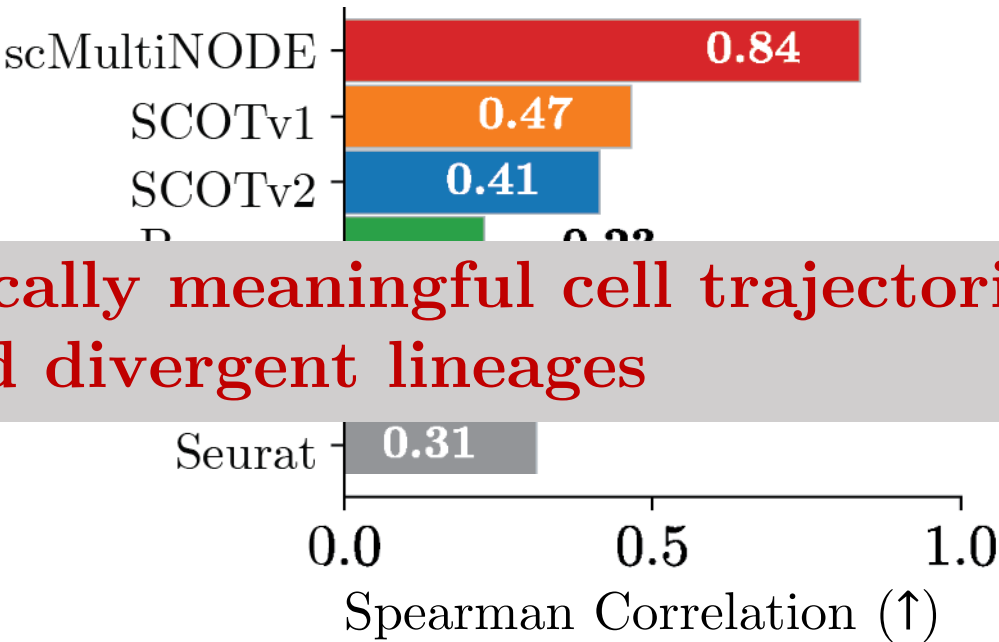
Experiment II: scMultiNODE's latent space preserves multifurcating cell development trajectories (cont.)

- Test on human brain cortex data

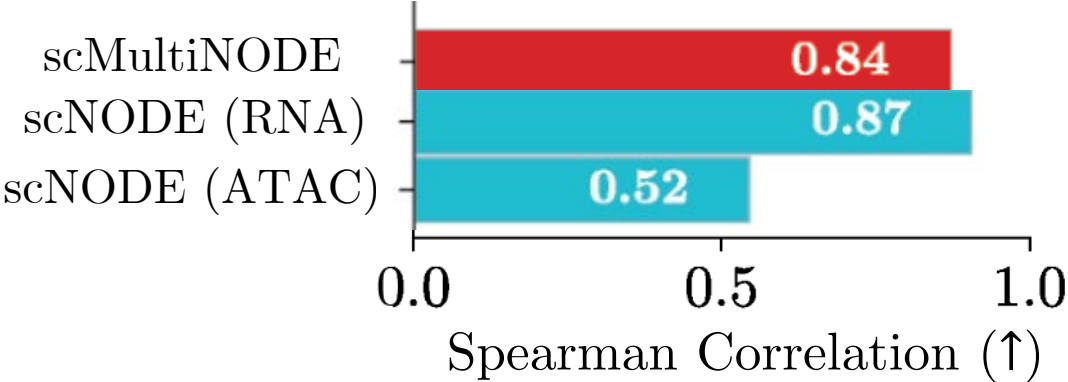


scMultiNODE produces biologically meaningful cell trajectories across complex and divergent lineages

Our vs. other integrations



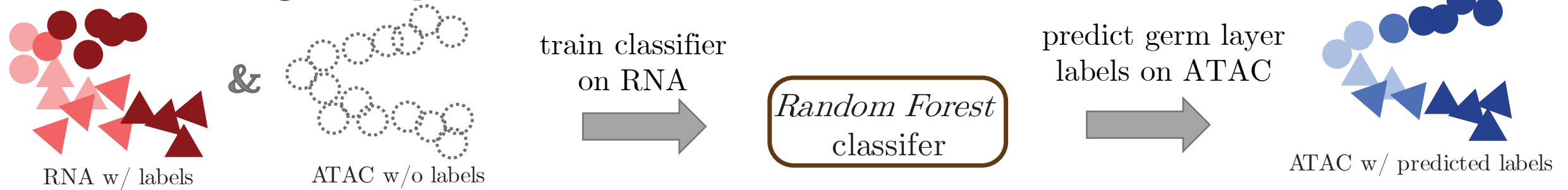
Our vs. single-modal trajectory



Experiment III: scMultiNODE enables germ layer label transfer across modalities

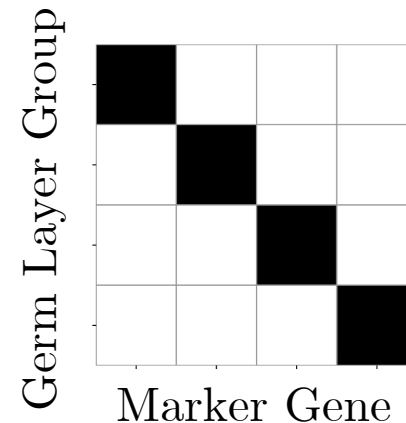
- **Setup:** germ layer label transfer across modalities

Multi-Modal Integration Space



- **Evaluation:** marker gene expression across predicted germ layer groups

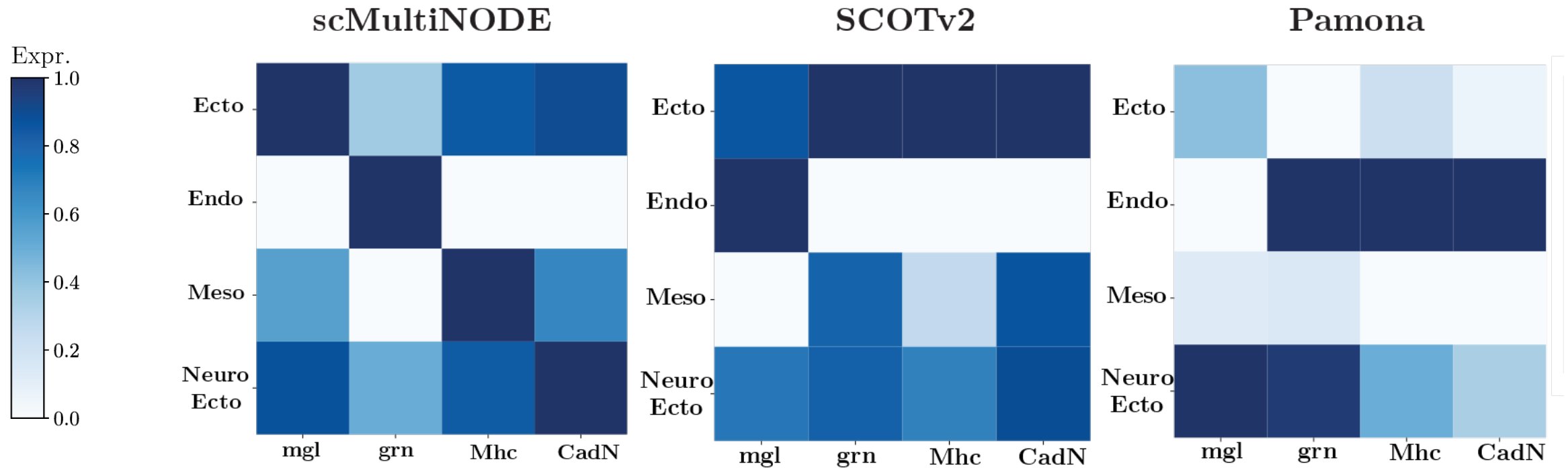
- find marker genes of each germ layer group from RNA modality
- check marker gene expression in ATAC modality with predicted labels



Expectation: marker gene only expressed in the corresponding group

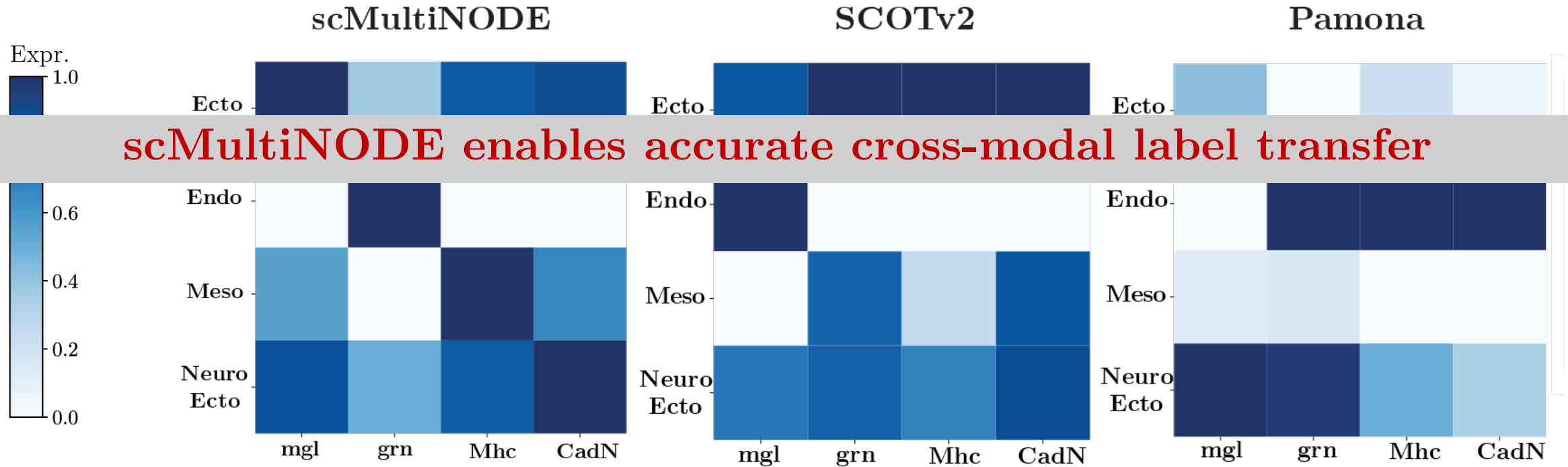
Experiment III: scMultiNODE enables germ layer label transfer across modalities

- Result on the *Drosophila embryogenesis* data



Experiment III: scMultiNODE enables germ layer label transfer across modalities

- Result on the *Drosophila embryogenesis* data



Takeaways

- scMultiNODE captures cellular dynamic while achieving good multi-modal integration
- scMultiNODE assists downstream analysis, including trajectory analysis and cross-modal label transfer

Jiaqi Zhang, Manav Chakravarthy, Ritambhara Singh,

“scMultiNODE: Integrative Model for Multi-Modal Temporal Single-Cell Data”,

bioRxiv

Code availability: github.com/rsinghlab/scMultiNODE



Paper & Codes

Acknowledgement

Singh Lab @ Brown

Ritambhara Singh

Manav Chakravarthy

Ghulam Murtaza



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